Collective Risk and Distributional Equity in Climate Change Bargaining

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Abstract

International climate negotiations occur against the backdrop of increasing collective risk: the likelihood of catastrophic economic loss due to climate change will continue to increase unless and until global mitigation efforts are sufficient to prevent it. We introduce a novel alternating-offers bargaining model that incorporates this characteristic feature of climate change. We test the model using an incentivized experiment. We manipulate two important distributional equity principles: capacity to pay for mitigation of climate change and vulnerability to its potentially catastrophic effects. Our results show that less vulnerable parties do not exploit the greater vulnerability of their bargaining partners. They are, rather, more generous. Conversely, parties with greater capacity are less generous in their offers. Both collective risk itself and its importance in light of the recent Intergovernmental Panel on Climate Change report make it all the more urgent to better understand this crucial strategic feature of climate change bargaining.

**Keywords:** Climate Change, Collective Risk, Equity, Laboratory Experiment, Bargaining

**Word Count:** 7,532
1 Introduction

A recent report by the Intergovernmental Panel on Climate Change (IPCC) underscores the urgent need to address climate change, noting that the window of time over which countries must initiate climate policies to avoid its worst consequences is as small as 12 years. Given the current stock of greenhouse gas (GHG) emissions, countries must now undertake drastic efforts to keep warming below the recommended 1.5°C. Delaying action any further will increase countries’ risk of catastrophic economic consequences of climate change (IPCC 2018).

We investigate two questions related to the scenario laid out by the IPCC. How does an increase in the risk of economic catastrophe affect individuals’ willingness to bear the costs of climate change mitigation? And, in light of global inequality in countries’ vulnerability to climate change and their capacity to prevent it, how do differences in these two factors moderate the extent to which individual preferences respond to increased economic risks?

Recent estimates of the value at risk from unmitigated climate change suggest expected costs of $2.5 trillion, with substantial risk in the tail (Dietz et al. 2016; Weitzman 2011). As a stylized representation of these risks, Milinski, Sommerfeld, et al. (2008) introduce the concept of “collective risk” to describe the threat of widespread and catastrophic economic loss posed by unabated climate change (Alley et al. 2003; Schellnhuber 2006). Given current trends, the likelihood of widespread, collective risk will continue to increase unless countries sufficiently reduce net global GHG emissions.

The consensus across most policymakers and scholars is that reducing the catastrophic effects of climate change requires an effective and sustainable international agreement to collectively reduce global emissions. Therefore the imminent threat of catastrophic climate change lends urgency to understanding how countries’ increasing and differential vulnerability to collective risk affects the costs they are willing to accept to prevent it. Strategically, collective risk
impacts global efforts to mitigate climate change, and is thus a critical feature of international climate negotiations. Despite its importance, the topic remains under-studied. In this study, we introduce a flexible bargaining framework that incorporates increasing collective risk into a standard alternating-offers bargaining model.

To investigate bargaining under collective risk, we consider two distributional equity factors that previous studies have identified as important: the distribution of resources to pay for climate change mitigation (capacity) and the distribution of the negative effects of climate change (vulnerability). Beyond highlighting the crucial importance of ever-increasing collective risk, the 2018 IPCC report reveals the urgent need to understand the effects of differential vulnerability on bargaining. To do so, models of climate change bargaining must pay more attention to collective risk. The model introduced in this study lends insight into how bargaining behavior might respond to inequalities in capacity and vulnerability during bargaining under collective risk.

What insights can bargaining theory offer for negotiations under increasing collective risk? In bargaining theory, each actor’s willingness to accept a proposed agreement depends not only on the terms of the agreement itself, but also on available alternatives. Actors consider the expected value of rejecting a proposal and choosing, instead, to continue bargaining. Central to standard alternating-offer bargaining games is the continuation value (continuation value), or an actor’s expected value of continuing to bargain rather than accepting a proposal.

The success of an international climate agreement therefore depends on whether parties find it preferable to continue bargaining, and the decision to continue bargaining in this context would necessarily rely heavily on actors’ collective risk. In addition to their risk of loss (i.e. vulnerability), the value of continuing to bargain also depends on the how much actors stand to lose (i.e. their capacity). Capacity and vulnerability are thus the key factors in determining continuation values in the context of climate bargaining. As such, these are the two factors that we manipulate in our experimental design, which uses the climate bargaining
model with collective risk developed here as a framework.

Given the highly unequal distribution of capacity and vulnerability across countries and individuals, these two factors are especially important for a better understanding of bargaining behavior under conditions of increasing collective risk. As evidence of their importance, the factors form the basis for determining the organization of regional and geographic groups engaged in negotiations under the United Nations Framework Convention on Climate Change (UNFCCC). The Umbrella group, composed of developed countries, and the Least Developed Countries group are both defined by their level of economic development (capacity) whereas the Small Island Developing States and the Vulnerable 20 (V20) represent overlapping sets of countries with both low capacity and high vulnerability.

These distributional equity factors are not merely academic curiosities. Rather, concerns about capacity and vulnerability feature prominently the official negotiating positions of the parties for the 2015 Paris negotiations. In Paris, each country submitted a plan of action to combat climate change in the form of “Intended Nationally Determined Contributions” (INDCs). The importance of capacity and vulnerability in climate negotiations and the difficulty in disentangling the two is evident from Kiribati’s INDC (Republic of Kiribati 2016):

As one of the most vulnerable countries in the world to the effects of climate change [Kiribati’s] ability to respond to climate risks is hampered by its highly vulnerable socio-economic and geographical situation.

Despite the challenges posed by global inequalities in collective risk, without an international climate agreement, it will continue to increase for all parties—even if at any point in time some parties are more vulnerable than others. Consequently, each failure to reach a mitigation agreement ensures that subsequent agreements will be negotiated under a higher level of collective risk. There is an extensive literature on collective risk using a public goods

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1 The UNFCC is the United Nations body that oversees climate negotiations. Like many negotiations in the United Nations (UN), those in the UNFCC occur across many levels of regional and geographic groups.
framework, particularly the threshold public goods game known as the collective risk social dilemma (Dreber and Nowak 2008; Milinski, Sommerfeld, et al. 2008). While Gampfer (2014), Gosnell and Tavoni (2017), and Smead et al. (2014) use bargaining games to model mitigation efforts, scholars have not yet incorporated the crucial concept of increasing collective risk into bargaining frameworks.

To model mitigation behavior, we develop a “climate bargaining game” that embeds collective risk in an alternating-offers bargaining framework. Continuation values play an important role in standard alternating-offers bargaining games\(^2\) so it is imperative to understand how continuation values are affected by the presence of collective risk. Despite the profusion of bargaining models in the international relations literature (Reiter 2003), virtually no bargaining models, barring those mentioned, have been applied climate negotiations over mitigation, leading several prominent political scientists to call for more research on the politics of international climate change (Javeline 2014; Keohane 2015). Here we heed this call by introducing a novel and general model of climate change mitigation bargaining and an experimental framework for investigating its implications. Our framework can be thought of as a generalization of the modified Ultimatum game in Gampfer (2014), in the same way that Rubinstein bargaining (Rubinstein 1982) is a generalization of the Ultimatum game.

In a standard alternating offers framework, continuation values depend on actors’ individual discount rates and the payoffs foregone by failing to reach an agreement. In the context of bargaining under the shadow of collective risk, continuation values depend not only on the amount that players stand to lose (i.e., their capacity), and their discount rates but also on collective risk, or players’ risk of loss from unmitigated climate change (i.e., their vulnerability). As a result, we expect that continuation values should play an even more

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\(^2\)The breakthrough in Rubinstein (1982) was the proof of the uniqueness of a sub-game perfect Nash equilibrium (Avery and Zemsky 1994), wherein actors settle on an agreement in the first period due to bargaining costs or a discount factor that reduces their continuation values. Subsequent modifications to Rubinstein’s game that explore the robustness of the equilibrium (Shaked et al. 1987; Shaked and Sutton 1984) or how the equilibrium changes under different decision-making procedures (Baron and Ferejohn 1989) all rely on adjustments that alter actors’ continuation values.
important role in determining behavior in such a context. It is therefore important to understand whether and how bargaining behavior under collective risk reflects these equity considerations.

In addition to capacity and vulnerability, countries’ willingness to engage in burden-sharing also depends on their historical responsibility for climate change. For rational egoistic actors (hereafter “rational actors”), however, responsibility only impacts continuation values insofar as it increases the capacity of responsible actors at the onset of climate bargaining. Nonetheless, because responsibility is a mainstay of current climate equity discussions and central to many countries’ INDCs, we investigate the effects of varying it, in settings with and without differential vulnerability. We find that responsibility has minimal effects on subjects’ behavior above and beyond the direct, mechanical effects it has on continuation values. Additionally, the responsibility treatment also allows us to replicate the control and vulnerability treatments in settings where subjects’ starting capacities (and thus, their continuation values) are identical to those in their counterpart treatments except for being the products of endogenous choices. This offers something of a placebo test for the importance of continuation values in this bargaining context. For clarity and brevity, we relegate further discussion of responsibility to Appendix E and devote the remaining discussion to the capacity and vulnerability manipulations.

Given the theoretical importance of continuation values in our bargaining framework, we use them as the strategic primitive and basis for behavioral predictions about how capacity and vulnerability affect bargaining behavior. The results of our experiments substantiate the importance of continuation values, which determine both the size of the offers and the likelihood of success in the bargaining game. The findings suggest the need for further studies of collective risk in the context of climate bargaining.

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3The assumption of rational egoism entails that actors are self-interested and, in the context of this experiment, motivated by monetary payoffs made to participants over and above a show-up fee (refer to Section 3 for additional details).
Despite the United States’ recent decision to withdraw from the Paris Climate Accord, the agreement still represents the most ambitious international climate change agreement to date (Davenport 2015). However, for countries to adhere to the commitments they made in Paris, domestic political will must be marshaled and sustained. Moreover, these commitments must be renegotiated indefinitely every five years. Thus, understanding what determines states’ willingness to bear the costs of mitigation in light of collective risk has never been a more important task for political and social science. Our experimental bargaining framework allows us to effectively manipulate key distributional criteria in climate negotiations. Our results may even suggest some ways of highlighting or downplaying particular distributional equity factors to persuade the United States to re-engage in international climate negotiations.

Following common practice in research experiments, we use a sample of university students in this study. Investigating the behavior of students and other laypersons to better understand the relevant strategic and equity considerations in international climate negotiations is useful and important for several reasons. In the post-Paris world, public preferences and public opinion regarding the willingness to pay for climate change mitigation may be more important than ever before. In the scholarship on public opinion toward climate change, there is evidence for a “bottom up” process through which elite behavior is affected by public preferences (Bechtel and Scheve 2013; Tingley and Tomz 2014). Thus, even if the mass-public is not in a position to directly implement their preferred bargaining strategies, understanding the factors that drive such preferences is important in its own right. In fact, the preferences of the mass public and state and local governments in the United States have already proven to be a powerful counterweight to the Trump Administration’s decision to withdraw from the Paris Accord.4

4Even under the extreme assumption that citizens’ preferences and public opinion have no influence over international climate negotiations, investigating the behavior of citizens (in our case students) is nonetheless fruitful, for at least two reasons. First, there is some evidence that average behavior in student samples is observationally equivalent to that of elites (Hafner-Burton et al. 2014), and elites exhibit many of the same biases in decision making as the public (Sheffer et al. 2018). Second, as long as a treatment effect is homogeneous across different groups of the population (e.g., students versus elites) any convenience sample will uncover an unbiased estimate of such a (homogeneous) treatment effect (Druckman and Kam 2011).
The structure of the paper is as follows. Section 2 describes our theoretical framework and how it builds on previous research. Section 3 presents our experimental design and Section 4 presents the results of our six treatments. Section 5 concludes by highlighting the core contributions of the paper and suggests extensions for future work.

2 A climate bargaining game

In the political economy literature, a common way to model climate change mitigation behavior is through the use of public goods games. Many employ variations of standard linear public goods games (e.g. Barrett and Dannenberg 2012, 2014; Hasson, Löfgren, and Visser 2010, 2012, among many others). Other public goods models have been created specifically for the climate change context. Among them is the collective risk social dilemma (CRSD), a behavioral political economy framework that incorporates the notion of catastrophic economic loss in the event of a failure of mitigation efforts, i.e., collective risk (Dreber and Nowak 2008; Milinski, Sommerfeld, et al. 2008). The CRSD is a threshold public goods game of loss avoidance: players are randomly assigned to small groups and exogenously endowed with an initial wealth level, portions of which can be contributed over multiple rounds toward an exogenously given threshold value. If the group’s collective contributions meet or exceed this threshold, the group avoids a collective loss of earnings and all members retain the un-contributed remainder of their endowment. If the group’s collective contributions fail to reach the threshold value, the members face an exogenous and known probability of climate change-induced “catastrophic loss” (loss of the entirety of their retained earnings), otherwise known as collective risk. The social dilemma arises, as in all public goods games, from the incentive to free-ride in hopes that one’s group will meet the threshold through the contributions of others.

Capacity, in the form of wealth inequalities, has been explored in a CRSD framework using
both behavioral game theory and computational simulation (Abou Chakra and Traulsen 2014; Brown and Kroll 2017; Burton-Chellew, May, and West 2013; Milinski, Röhl, and Marotzke 2011; Tavoni et al. 2011; Vasconcelos et al. 2014; J. Wang, Fu, and L. Wang 2010). Kline et al. (2018) and Del Ponte et al. (2017) introduce endogenous (causal) responsibility into the CRSD by making the cost of climate change mitigation and the probability of loss endogenous to group wealth levels that are generated in a preceding common pool resource game. Waichman et al. (2014) investigate asymmetric vulnerability in a CRSD framework, finding that it increases cooperation.

Here we introduce the climate bargaining game (CBG), a modified alternating-offers bargaining framework that incorporates the important feature of increasing collective risk. Players begin the bargaining phase with an initial endowment, which may differ in amount (the capacity conditions).\(^5\) They must then bargain over how to split the cost of climate change mitigation. The players bargain under collective risk, therefore failure to reach an agreement exposes both players to catastrophic economic loss. If catastrophic economic loss occurs, each player loses his/her endowment with a predetermined probability that increases monotonically in the number of rejected offers. The players’ initial probabilities of loss and the rate at which they increase are, in some cases, asymmetric — the vulnerability conditions.

Continuation values represent the payoff that a player could expect to receive should a bargain fail to be reached in the current round. A larger continuation value implies a greater incentive to prolong the bargaining and therefore greater bargaining power. In Rubinstein bargaining, relative “patience” increases one’s bargaining power. By discounting the future at a lower rate than their counterparts, patient actors increase their continuation values and, in turn, decrease their willingness to accept low offers. Similarly, in the CBG, because they can afford to be more patient, less vulnerable actors have larger continuation values and therefore greater bargaining power. Higher capacity also translates into larger continuation

\(^5\)In the responsibility conditions in Appendix E, the endowment also differs in the manner by which it was obtained.
values and therefore greater bargaining power.

As discussed above, by manipulating endowments (capacity) and risk (vulnerability) we directly affect continuation values. Table 1 describes the treatments associated with varying each of the two equity dimensions. In the next sections, we use the continuation values determined by our manipulation of endowments and risk schedules to derive predictions about the sizes of offers and the probability of successful bargaining under collective risk. Notably, existing research applying bargaining frameworks to climate change mitigation do not yet consider collective risk (Gampfer 2014; Gosnell and Tavoni 2017; Smead et al. 2014)⁶

3 Experimental design and treatments

For this experiment, a sample of 182 subjects was recruited from the general undergraduate population at a public university in the Northeast United States. The subjects played variations of the CBG, described more fully in the following sections. Administered over the course of four months, experimental sessions were fully computerized. Participants were paid a show-up fee in addition to payments from the experiment itself. A summary of subject demographics is provided in Appendix A.⁷

3.1 General model

The CBG has three parts: the allocation of initial wealth and collective risk schedules; the determination of the cost of climate change mitigation; and the bargaining phase with alternating offers and uncertainty with respect to catastrophic loss. We are able to isolate each of the key distributional equity factors by manipulating parameters across a number of distinct treatment conditions.

⁶ Gosnell and Tavoni (2017) includes increasing mitigation costs, but not collective risk, in its framework. ⁷ Across treatments, the distributions of subjects’ gender, age, and political affiliations are similar. Additionally, subjects hold similar opinions on direction and magnitude of the effects of global warming.
All treatments begin with two randomly and anonymously matched subjects, Players A and B. Then, each player receives an exogenous initial endowment level, which is common knowledge. After the initial endowment is awarded, players use alternating offers to bargain over how to split mitigation costs. This is meant as a very rough, dyadic approximation of the bargaining process outlined in the Paris Agreement in 2015, in which each county put forth their “offer” as an INDC. The Paris agreement calls for these INDCs to be renegotiated every five years. The total cost of mitigation to be divided between the players amounts to the average of the players’ initial endowments, equivalent to half the sum of the initial endowments. After each rejection, there is some positive probability that each player in the pair loses the entirety of their endowment. This collective risk, which may differ across players in each match, increases after each rejection. In all treatments, players are randomly re-matched for a total of eight matches. In the description that follows below, the values of the initial endowments, the costs, and the relative collective risk levels are common knowledge to the subjects in each condition.

In all treatments, Player A makes the first offer of how to allocate mitigation costs between the two players. Player B can then either accept or reject the offer. In case of acceptance in a given round $t$, each player pays their agreed-upon portion of the costs of climate change mitigation and each player’s payoff is the difference between their initial endowment and their portion of the accepted allocation of costs. In the event of rejection, the game continues with probability 0.75. If the first draw from the continuation probability distribution dictates that the game ends, then each player’s expected payoff is their initial endowment multiplied by their respective risk after the $t$’th rejection.

If the game continues, Player B is then able to make a counter-offer and then Player A is given the opportunity to accept or reject it. The procedures for and consequences of acceptance and rejection are the same as in the first round, with the exception of the values
of collective risk. Such a loss is possible in the CBG as long as players fail to reach an agreement to split the costs of climate mitigation efforts, which would prevent it. The longer that agreement on the distribution of costs of climate change mitigation is delayed, the greater the collective risk. The probability of loss is exogenously determined as a function of the bargaining history and the treatment assignment. In a particular match, as the tally of rejected offers increases, so does the risk of loss. For a given player, the probability increases by the same amount after each rejection. In all conditions, we allow a maximum of eight rejected offers, so \( t = [1, 2, 3, 4, 5, 6, 7, 8] \). Though the increase in the probability of catastrophic loss varies across conditions and players, it is always positive, and therefore the probability of loss is always strictly monotonically increasing in the number of rejected offers.

We operationalize differential capacity by manipulating the initial endowments, such that the initial endowment of Player A is greater than the initial endowment of Player B. Manipulations of each player’s collective risk and the amount by which it increases represent differential vulnerability. Here, we consider the case in which Player B’s probability of catastrophic loss is higher than that of Player A and increases by a greater amount after each rejected offer. Player B, then, is more vulnerable than Player A. Next we describe each of these manipulations in detail.

### 3.2 Treatments

We are interested in the effects of manipulating initial endowments and collective risk, which result in asymmetric capacities and vulnerabilities between Players A and B.

The baseline treatment (BL) considers bargaining among actors with the same capacities and vulnerabilities, providing a baseline against which we can compare our treatment conditions. Initial endowments are fixed at 100 for each player, resulting in climate change mitigation costs of 100. The BL value for the probability of catastrophic loss for both players is 0.2
for each player and increases by 0.1 after each rejected offer. If all eight possible offers were rejected, then each player’s probability of catastrophic loss at the end of the match would be 0.9 and expected payoffs for each player would be amount to 90 percent of the initial endowment. The collective risk schedule\footnote{The collective risk schedule reflects the risk of catastrophic loss in every round.} over time for each player under BL is \((0.2, 0.3, \ldots, 0.9)\). Recall, however, that even if an offer is rejected in round \(t\), the associated collective risk is only activated if the game ends, which occurs with probability 0.25 if the offer is rejected. If the end of the game is reached due to rejection in round \(t\), the expected payoff for each player is the probability of catastrophic loss multiplied by the initial endowment. If the end of the game is reached as a result of an accepted offer, the payoff for a player is the difference between their initial endowment and what they agreed to pay under the proposed offer.

*Capacity* considerations are incorporated by introducing heterogeneity in initial endowments such that the initial endowment of Player A is greater than the initial endowment of Player B. This gives A greater capacity to contribute to climate change mitigation than B. In this case, Player A’s initial endowment is 150 and Player B’s initial endowment is 50. Otherwise, the *capacity* (CP) treatment is identical to the BL condition. Comparing results from BL with CP captures the effect of capacity considerations in climate change mitigation, allowing us to isolate the effect of “ability to pay” considerations on bargaining under increasing collective risk.

*Vulnerability* considerations are incorporated by introducing heterogeneity in each player’s collective risk. Player B’s risk is greater than that of Player A, implying that B is more vulnerable to the effects of climate change (catastrophic economic loss) than A, and B’s vulnerability increases more quickly than A’s. As in the BL condition the initial endowment for each player in the basic vulnerability (VN) treatment is 100. The respective initial risks for Players A and B in the VN treatment, however, are 0.05 and 0.2, and Player B’s probability of catastrophic loss increases more rapidly than that of Player A. After each rejection, Player A’s risk increases by 0.05, whereas Player B’s risk increases by 0.1. In VN,
the collective risk schedules for Player A and Player B respectively are \((0.05, 0.10, ...0.4)\) and \((0.2, 0.3, ...0.9)\). By comparing the VN conditions to BL, we can determine what weight the subjects place on the distribution of vulnerability to the impacts of climate change when making their offers about how mitigation costs should be split. This manipulation allows us to isolate the effect of the “beneficiary pays” principle on bargaining.

The capacity-vulnerability (CP-VN) condition, designed to combine the endowment parameters of CP with the risk parameters of VN, investigates the interactive effects of the CP treatment and the VN treatment. As in the CP treatment, Player A’s initial endowment is 150 and Player B’s initial endowment is 50. Additionally, as in the VN treatment, the collective risk schedules for Player A and Player B respectively are \((0.05, 0.10, ...0.4)\) and \((0.2, 0.3, ...0.9)\). Combining the capacity and vulnerability conditions in this way allows us to observe interactions between capacity and vulnerability concerns when compared to the BL conditions as well as to the simple CP and VN conditions.

A summary of the treatments is provided in Table 1. Further details regarding the dates of administration and instructions given to the subjects are given in Appendix B, and discussion of the responsibility treatments are in Appendix E.

Table 1: Summary of Treatments

<table>
<thead>
<tr>
<th>Treatment</th>
<th>Initial Endowment(^9)</th>
<th>Collective Risk</th>
<th>Number of Subjects</th>
</tr>
</thead>
<tbody>
<tr>
<td>BL</td>
<td>100/100</td>
<td>((0.2, 0.3, ...0.9)) ((0.2, 0.3, ...0.9))</td>
<td>42</td>
</tr>
<tr>
<td>CP</td>
<td>150/50</td>
<td>((0.2, 0.3, ...0.9)) ((0.2, 0.3, ...0.9))</td>
<td>44</td>
</tr>
<tr>
<td>VN</td>
<td>100/100</td>
<td>((0.05, 0.1, ...0.4)) ((0.2, 0.3, ...0.9))</td>
<td>48</td>
</tr>
<tr>
<td>CP-VN</td>
<td>150/50</td>
<td>((0.05, 0.1, ...0.4)) ((0.2, 0.3, ...0.9))</td>
<td>48</td>
</tr>
</tbody>
</table>

\(^9\)For initial endowments and collective risk, parameters are presented in order for Players A and B.
3.3 Equilibrium analysis

Both wealth and risk of loss factor into the calculation of continuation values, and so continuation values under the \( VN \), \( CP \), and \( CP-VN \) differ from those under \( BL \). Recall that continuation values describe a strategically rational player’s expected payoffs from continuing to bargain rather than accepting a rational counterpart’s proposed agreement. In a given round, rational risk-neutral actors accept an offer if and only if it is no less than the player’s continuation value.

To calculate continuation values, we use the notation \( i \in \{A, B\} \) to denote each player; \( t \in \{1, 2, \ldots, 8\} \) for rounds; \( p_t^i \) for \( i \)’s probability of loss in round \( t \); \( E_t^i \) for \( i \)’s endowment; and \( V_t^i \) for \( i \)’s continuation value in round \( t \). In a given round, \( V_t^i \) is the weighted sum of (i) the payoff from the case in which the game ends prematurely and each player facing its probability of loss for that round \( 0.25 \cdot (1 - p_t^i) \cdot E_t^i \); and (ii) the expected payoff from the game continuing with equilibrium behavior in all subsequent rounds, which is the continuation value for player \( i \) in the subsequent round weighted by the probability that the game continues, \( 0.75 \cdot V_{t+1}^i \).

If an offer is rejected and the game continues, the responder in \( t \) will be the offerer in \( t + 1 \) and vice versa, the offerer in \( t \) will be the responder in \( t + 1 \). In all conditions, Player \( A \) (\( B \)) is the offerer (responder) in the first and all subsequent odd rounds, and \( B \) (\( A \)) is the offerer (responder) in all even rounds. Recall that in the final round \( t = 8 \), the probability of the game continuing after a rejection is zero and therefore the probability of the game ending is 1.

We calculate player \( i = A \)’s continuation value in period \( t \) as:

\[
V_A^t = \begin{cases} 
\text{Game ends} & \text{Game continues with } A \text{ as responder} \\
0.25 \cdot (1 - p_A^t) \cdot E_A^t & + \quad 0.75 \cdot V_{A=R}^{t+1} & \text{if } t = 1, 3, 5, 7 \\
\text{Game ends} & \text{Game continues with } A \text{ as offerer} \\
0.25 \cdot (1 - p_A^t) \cdot E_A^t & + \quad 0.75 \cdot V_{A=O}^{t+1} & \text{if } t = 2, 4, 6 \\
1 \cdot (1 - p_A^t) \cdot E_A^t & + \quad 0 \cdot V_{A=O}^{t+1} & \text{if } t = 8
\end{cases}
\]
Likewise, we calculate player $i = B$’s continuation value in period $t$ as:

$$V^t_B = \begin{cases} 
\text{Game ends} & \text{Game continues with } B \text{ as offerer} \\
.25 \cdot (1 - p^t_B) \cdot E^t_B & + \quad .75 \cdot V^{t+1}_{B=O} & \text{if } t = 1, 3, 5, 7 \\
\text{Game ends} & \text{Game continues with } B \text{ as responder} \\
.25 \cdot (1 - p^t_B) \cdot E^t_B & + \quad .75 \cdot V^{t+1}_{B=R} & \text{if } t = 2, 4, 6 \\
1 \cdot (1 - p^t_B) \cdot E^t_B & + \quad 0 \cdot V^{t+1}_{B=R} & \text{if } t = 8 
\end{cases}$$

Because this is a finitely repeated bargaining game with a known maximum number of rounds, we can use backward induction to calculate continuation value for each of the players, and begin our analysis in the final round with the decision that confronts the responder, player $A$. The final round is strategically similar to an ultimatum game: the responder in the final round $A$ gets a take-it-or-leave-it offer, with the payoff for the leave-it option being $(1 - p^8_A) \cdot E_A = V^8_A$, the continuation value for player $A$ if they reject the offer in the eighth round. Following equation 1 we can recursively calculate the remaining values by plugging it into the equation $V^7_A = 0.25 \cdot (1 - p^7_A) \cdot E^7_A + 0.75 \cdot V^8_A$. Similarly, the continuation value for $B$ if their offer is rejected in the eighth round is $V^8_B = (1 - p^8_B) \cdot E_B$, and their values can then be recursively calculated following (2).  

$V^8_A$ is the continuation value for the responder in round eight. Player $B$, the offerer in round eight, therefore knows that the maximum cost the responder would be willing to pay is $C^*_A = E_A - V^8_A$. This is the minimum offer that $B$ can make in the final round that would be accepted by $A$. In this case the $B$’s implied cost is $C^*_B = 100 - C^*_A$. This alone, however, is not sufficient to determine whether $B$ would be willing to offer $C^*_B$, and therefore whether there will be an offer accepted in equilibrium. This will only be the case if $C^*_B \leq V^8_B$.

Taking the $BL$ condition as an example, $V^8_A = (1 - 0.9) \cdot 100 = 10$, thus $C^*_A = 100 - 10 = 90$ and $C^*_B = 100 - 90 = 10$. $V^8_B$ also equals 10, so $C^*_B \leq V^8_B$, and $B$’s equilibrium offer would be accepted by $A$.

\[^{10}\text{We would like to thank an anonymous reviewer for guiding us to the solution we are now using.}\]
Table 2 summarizes the parameters relevant for the continuation values in each condition. For ease of presentation, players are separated on the basis of roles (i.e., the probability of loss for the offerer in round \( t \) is denoted \( p_{\text{Offerer}}^t \) and that of the responder is \( p_{\text{Responder}}^t \)). Note that, in equilibrium, offers are not accepted until the fourth round at the earliest (\( BL \) and \( CP \)) or the eighth round at the latest (\( CP-VN \)). So, if we expect equilibrium play we should not expect to see offers accepted in the first few rounds.
Table 2: Summary of Continuation Values, Equilibrium Offers, and Equilibrium Responses

<table>
<thead>
<tr>
<th>Treatment</th>
<th>Round</th>
<th>(p^t_{\text{Offerer}})</th>
<th>(p^t_{\text{Responder}})</th>
<th>(E_{\text{Offerer}})</th>
<th>(E_{\text{Responder}})</th>
<th>(V^t_{\text{Offerer}})</th>
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4 Results

The experimental manipulation of subjects’ wealth (capacity) and collective risk (vulnerability) is reflected in their continuation values, which are central to our analysis. The finite nature of our game and the backward induction invoked to solve it imply that continuation values also depend on the order in which offers are made. Consequently, we focus on differences across conditions, and, where appropriate, across rounds and within player types. In other words, we will often be comparing the behavior of a player type — A or B — across conditions and over time.

We begin with an analysis of the rates of successful bargaining across conditions and rounds. We are interested in how our capacity and vulnerability manipulations affect bargaining behavior under the threat of increasing collective risk. Most fundamentally, we are interested in the effect of our manipulations on successful negotiation. For each condition, Figure 1 shows the cumulative percentage of accepted offers across rounds one through eight. For example, in BL, by round three, an acceptable offer had been made in approximately 50 percent of matches, and by round five, this figure had increased to 60 percent.

The pattern in Figure 1 raises two puzzles. First, why are the observed rates of success, especially in the early rounds, so much higher than those predicted? Second, why do rates of success differ across conditions, notably between the asymmetric vulnerability conditions (VN and CP-VN) and their symmetric counterparts (BL and CP)?

Success across the eight rounds is notably lower in the two asymmetric vulnerability conditions than in their counterpart conditions. Asymmetric capacity does not appear to hamper success, and in the case of CP-VN it appears the pairing with the wealth differences to be marginally increasing success relative to VN. Also recall from Table 2, however, that in equilibrium, we should not expect any agreement until rounds four (in the case of BL and CP), six (VN) or eight (CP-VN). Yet, across all conditions, high rates of observed success
occur much earlier than theory would suggest. In contrast, the lower success rates in VN and CP-VN are consistent both with the later arrival of equilibrium acceptance in those two conditions and with Gampfer (2014), which finds, in single shot ultimatum-style games, that offers increase in wealth and vulnerability, as offerers exploit their counterparts’ greater comparative vulnerability by offering them less. Our study extends and generalizes the bargaining framework in Gampfer (ibid.), allowing us to assess the effect of increasing collective risk in a multi-round framework.

Why do we observe such high success rates, and how can we explain the variability in success across conditions? Compared to the theory’s predictions, are the offerers too generous? Are the responders too willing to accept low offers? For that we need to look beyond the aggregate success rates displayed in Figure 1. In our theoretical framework a “generous” offer, from the offerer’s perspective, is simply one that exceeds the equilibrium offer. Predicted rates of success are derived under the assumption that equilibrium offers are chosen. By definition, generous offers violate this assumption, and so they may explain the relatively high rates
of success in bargaining shown in Figure 1. The results in Figure 1 indicate less success in the asymmetric vulnerability conditions than in their symmetric counterparts. However, comparing the difference between each player’s first average and equilibrium offer across conditions and player types, a different picture emerges.

These differences are shown in Figure 2. In both VN and CP-VN, Player A makes average offers that significantly exceed the equilibrium offer. Rather than exploiting their partner’s vulnerability, the advantaged parties are generous vis-à-vis our theoretical predictions. In contrast, BL and CP offers do not, on average, differ from those in equilibrium. For Player B, the results are nearly reversed: on average, B’s offers in VN and CP-VN fall short of those in equilibrium, while those in BL and CP are close to equilibrium predictions.

Figure 2: Difference between Observed and Equilibrium First Offers by Type and Condition

Figure 3 displays the trends in the differences presented in Figure 2 over the course of the eight potential rounds. Some interesting patterns emerge. Irrespective of condition, Player A’s average offer declines across rounds. While the slopes of trends in players’ average offers are approximately equal across the conditions, their intercepts are not. Relative to equilibrium offers, offers in VN and CP-VN are on average higher in each round than those in BL and CP. Again, the pattern is approximately reversed for Player B, whose average offers in each round are higher in BL and CP than in VN and CP-VN. For B, the trends are
not parallel. Instead, they diverge as the match progresses. Final round offers in VN and CP-VN become even less generous and those in BL and CP become more generous. The probability of acceptance likely increases in the size of offers, and due to this potential for selection across rounds, these effects, though thought-provoking, are not causally identified.

Figure 3: Round-by-Round Differences between Observed and Equilibrium Offers by Type and Condition

The results displayed in Figure 3 seem to hint at an explanation for the two initial puzzles. Perhaps the relative generosity initially exhibited by Player A in VN and CP-VN is offset by Player B’s relative stinginess in the second round. This pattern of offsetting offers occurs across all eight rounds, revealing interesting treatment effects across types and conditions. It does not, however, seem to explain the differential success rates observed in Figure 1 because
the VN and CP-VN conditions are nonetheless characterized by lower rates of success than BL and CP. So, overall rates of success do not seem to be driven by the offerer’s behavior. Perhaps it is the responder, then, whose behavior is driving the puzzling trends?

We have been using the equilibrium offer as our relevant threshold for generosity with respect to the offerers’ behavior. To answer the question of whether the responder was too readily willing to accept low offers, we must identify a different metric that is relevant for the responder’s decision to accept or reject. In summarizing the expected payoffs from accepting a bargain, the continuation value serves as a natural reference point for the responder in the alternating offers bargaining game. The theory predicts that they should accept the offer if and only if its net payoff is larger than the expected payoff from rejecting the offer and continuing to bargain. In other words, the responder should only accept the offer if the immediate payoff from accepting the proposed offer, abbreviated as the Net Offer, exceeds the continuation value from continuing to bargain, i.e., if \( E_{\text{Responder}} - C_{\text{Responder}} > V_{\text{Responder}} \).

Figure 4 illustrates the distribution of differences between the net offer and the continuation values, separated by round, player, treatment, and the responder’s decision to accept or reject the offer. Negative observations below the dotted line describe responses in cases where the continuation value exceeds the net offer, i.e., those in which a rational responder should not accept the offer. It is immediately apparent that the preponderance of offers, including those that were accepted (indicated by the black dots), are below the responder’s continuation value, with the highest number of generous offers to Player B made in BL and CP. Even in those two cases, however, the first two net offers made by B are still largely below A’s continuation values. Surprisingly, many are nonetheless accepted by Player A. On the other hand, in VN and CP-VN, practically none of Player B’s offers exceed A’s continuation value.
Figure 4: Distribution of Accepted and Rejected Offers by $E_{\text{Responder}} - C_{\text{Responder}} - V_{\text{Responder}}$, Round, Player, and Treatment. The four vertical panels correspond to the four treatments, and rounds are distinguished on the horizontal axis, with odd rounds corresponding to cases where Player A is the offerer (on the top panel) and even ones to those where Player B is the offerer (on the bottom panel). The vertical axis describes the difference between net offers ($E_{\text{Responder}} - C_{\text{Responder}}$) and responders’ continuation values ($V_{\text{Responder}}$), with the dashed horizontal line indicating cases where the net offer matches the responders’ continuation value. Offers accepted by the responder are illustrated by the black points on the left side of each round, and rejected ones by the grey “x”s on the right. Theoretically, we expect that the receiver will accept net offers greater than the continuation value (above the dotted line) at a higher rate than those below the continuation value.
Across all conditions, Figure 4 includes a large number of accepted offers below the responder’s continuation value. In contrast, the behavior of each type of player generally cancels out the other within each condition, as shown in Figure 3. Taken together, these results suggest that responders’ low willingness to accept offers — rather than generosity of the offerer — is the major driver of success rates that exceed predictions.

5 Discussion

As the most recent IPCC report makes clear, rapid progress toward mitigation is becoming increasingly urgent if we are to avoid the worst effects of climate change (IPCC 2018). In other words, the global collective risk of economic and social catastrophe will continue to increase unless the global community can agree to a plan to prevent it. Such urgency makes understanding behavioral responses to collective risk — a peculiar feature of climate change negotiations — of even greater importance. The IPCC report makes more salient an inescapable truth: the repeated failures of the international community to mitigate climate change are taking place against a backdrop of ever increasing collective risk of inaction. Under the status quo, unless effective mitigation policies are successfully negotiated, collective risk will continue to rise.

Yet collective risk—this very vulnerability to collective inaction—is not evenly distributed across nations or individuals. Nor is the capacity to successfully mitigate such risk. In this study we have developed and tested an alternating offers bargaining game which incorporates increasing collective risk while manipulating the players’ vulnerability to collective risk and capacity to mitigate. Analytically, we focus on the concept of a continuation value, or the discounted value of continuing to bargain rather than accepting the status quo offer. Because collective risk directly affects continuation values, they are a proxy for bargaining power. A player with a larger continuation value can more credibly reject offers; they can
afford to be more ‘patient’. Patience, as manifested by large continuation values, has long been understood as an important determinant of bargaining power (Korobkin 2003; Ponsatí and Sákovics 1998). Populations vulnerable to climate change cannot afford to be as patient in coming to an agreement to solve the problem as those that are less vulnerable. The presence of collective risk in climate bargaining makes patience all the more important in this context. In other words, in international climate negotiations, perhaps even more so than in other situations, patience implies bargaining power.

Intuitively, then, one might expect less vulnerable parties to exploit the more vulnerable parties with low offers, as is the case in the one shot games reported in Gampfer (2014). The results from our alternating offers game, however, do not support such a conclusion. In fact, the less vulnerable parties are more generous compared to a baseline symmetric vulnerability condition. On the other hand, the more vulnerable parties are less likely to accept generous offers by the less vulnerable parties, and respond with even lower offers of their own. In our study at least, it would behoove the more vulnerable parties to be more willing to compromise. Perhaps their reluctance to do so is because they do not want their vulnerability to be exploited. Future research should explore additional mechanisms that might affect these equity and procedural justice considerations. Armed with this knowledge, we can derive guidance about how best to frame climate negotiations to harness these strategic motivations and increase the likelihood of successful negotiations.

As we discussed in the introduction we believe that many criticisms of student samples are misplaced. Still, future research on individual preferences for climate equity should focus on how public attitudes might prevent or enable countries to meet their commitments under the Paris agreement. Such studies could do so by combining representative survey experiments with behavioral games, as suggested in Mutz (2011, Chapter 5). Further research into elite behavior in this context, though difficult, would be welcome, and could give us an empirical answer to the question of whether in this domain the attitudes and behaviors of citizens and
elites are in fact similar.

As made clear in IPCC (2018), it has never been more urgent to understand climate change bargaining under increasing collective risk. In fact, collective risk itself makes this even more urgent. We believe that the general framework we introduce here — that of bargaining under collective risk — is as important as any specific finding in this study because it offers a promising tool for us to understand how collective risk affects international climate negotiations. Our study is the first to incorporate this aspect of international climate negotiations into a behavioral model, but we believe that much work remains to be done to fully exploit the flexibility of this general framework.
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