

# Globalization, Inequality and Welfare

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  - ▶ How much compensation/redistribution **actually** takes place?
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  - ▶ How much compensation/redistribution **actually** takes place?
  - ▶ Is this redistribution **costless**, as the Kaldor-Hicks approach assumes?
- ▶ These issues are relevant not just for trade, but also for any policy with redistributive effects

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  1. A **welfarist** correction reflecting the preferences of an inequality-averse social planner (c.f., Atkinson, 1970)
  2. A **costly-redistribution** correction capturing behavioral responses to *trade-induced* shifts across marginal tax rates



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  - ▶ After-tax income is log-linear function of pre-tax income (Heathcoate et al., 2014)
- ▶ Model calibrated to fit 2007 U.S. data: ▶ Trends
  - ▶ distribution of skills calibrated to match U.S. distribution of (adjusted gross) income from IRS public records
  - ▶ trade cost parameters calibrated to match key U.S. trade moments

## Related Literature

- ▶ Trade models with heterogeneous workers: Itskhoki (2008) but also
  - ▶ matching/sorting models (see Grossman, 2013, and Costinot and Vogel, 2015, for recent surveys)
  - ▶ models with imperfect labor markets (Helpman, Itskhoki, Redding..., and earlier Davidson and Matusz)
- ▶ Gains from trade and costly redistribution: Dixit and Norman (1986), Rodrik (1992), Spector (2001), Naito (2006)
- ▶ Old literature on Kaldor-Hicks: Kaldor (1939), Hicks (1939), Scitovszky (1941)
- ▶ Welfarist approach: Bergson (1938), Samuelson (1947), Diamond & Mirlees (1971), Atkinson (1970), Saez more recently
- ▶ Costly-redistribution: Kaplow (2008), Hendren (2014), Heathcoate et al. (2014)

# Road Map

1. A Motivating Example
2. Economic Model
3. Calibration
4. Counterfactuals: Inequality and the Gains from Trade

# MOTIVATING EXAMPLE

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$$r_\varphi^d = [1 - \tau(r_\varphi)]r_\varphi + T_\varphi,$$

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- ▶ The cumulative distribution of  $\varphi$  in the population is  $H_\varphi$ , while the associated income distribution for real earnings is  $F(r)$
- ▶ Society is evaluating the consequences of a trade liberalization that would shift  $F(r)$  from some initial  $F_r$  to  $F'_r$ .
- ▶ What are the welfare consequences of the move from  $F_r$  to  $F'_r$ ?

# The Kaldor-Hicks Principle: An Illustration

- ▶ Suppose only lump-sum transfers are used and government budget is balanced so  $\int T_\varphi dH_\varphi = 0$  and  $\int r_\varphi^d dH_\varphi = \int r dF(r)$
- ▶ Compensating variation  $v_\varphi$  for individual of type  $\varphi$ :

$$u(r_\varphi^{d'} + v_\varphi) = u(r_\varphi^d).$$

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- ▶ Gains from trade = Aggregate Real Income Growth

$$\left. \frac{W'}{W} \right|_{\text{Kaldor-Hicks}} = 1 + \mu \equiv \frac{R'}{R}$$

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  - ▶ risk aversion  $\approx$  inequality aversion (Vickery, 1945, Harsanyi, 1953)
- ▶ Even if some redistribution takes place, whenever it is costly, shouldn't  $W'/W$  reflect those costs?
  - ▶ Example: Dixit and Norman (1986)

# A Welfarist Correction

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- With simple transformation, we have (c.f., Atkinson, 1970)

$$W = \frac{[\mathbb{E}((r^d)^{1-\rho})]^{1/(1-\rho)}}{\mathbb{E}(r^d)} \times \mathbb{E}(r^d) = \Delta \times R$$

where  $\Delta \leq 1$  by Jensen's inequality

## Welfarist Correction: Two Special Cases

- Suppose  $H_\varphi$  is such that the distribution of **disposable** income is

$$\text{Pareto: } \Delta = \left( \frac{1+G}{1-G(1-2\rho)} \right)^{1/(1-\rho)} \frac{1-G}{1+G}$$

$$\text{Lognormal: } \Delta = \exp \left\{ -\rho \left[ \Phi^{-1} \left( \frac{1+G}{2} \right) \right]^2 \right\}$$

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- $W$  increases in mean income  $R$  but decreases in inequality  $G$
- In both cases:

$$\left. \frac{W'}{W} \right|_{\text{Welfarist}} = \frac{\Delta(G'; \rho)}{\Delta(G; \rho)} \times (1 + \mu),$$

- This corresponds to **consumption equivalent** welfare changes

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$$1 - \tau(r) = k(r)^{-\phi}, \quad (1)$$

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- ▶ Average net-of-tax rates decrease in reported income at a constant rate  $\phi$ , which captures the degree of progressivity of the tax system
- ▶ Behavioral response to taxation: positive, constant elasticity of reported income to the net-of-marginal-tax rate:

$$\varepsilon \equiv \frac{\partial r}{\partial (1 - \tau_m(r))} \frac{1 - \tau_m(r)}{r} > 0$$

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- Aggregate income can now be written as

$$R = (1 - \phi)^\varepsilon \frac{(\mathbb{E}r)^{1+\varepsilon}}{(\mathbb{E}r^{1-\phi})^\varepsilon \cdot \mathbb{E}(r^{1+\varepsilon\phi})} \times \mathbb{E}(\tilde{r}) = \Theta \times \tilde{R}$$

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- ▶ Two parametric examples

$$\text{Pareto: } \Theta = (1 - \phi)^\varepsilon \frac{(1-\phi)(1+G)-(1+\varepsilon\phi)2G}{(1-\phi)(1+G)-2G} \left( \frac{(1-\phi)(1-G)}{(1-\phi)(1+G)-2G} \right)^\varepsilon$$

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- More generally,

$$\frac{R'}{R} = \frac{\Theta'}{\Theta} \times (1 + \tilde{\mu}^R)$$

# CONSTANT-ELASTICITY MODEL

## A Constant-Elasticity Model

- ▶ Unit measure of heterogeneous workers with ability  $\varphi \sim H_\varphi$
- ▶ Each worker provides its own differentiated good or task (CES)
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- ▶ Consumption equals after-tax income:

$$r_\varphi - T(r_\varphi) = k r_\varphi^{1-\phi},$$

and government runs balanced budget

# Equilibrium

- Distribution of disposable income (and utility) is shaped by underlying distribution of ability and by parameters  $\beta$ ,  $\gamma$  and  $\phi$ :

$$c_\varphi \propto \varphi^{\frac{\beta(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}}$$

where

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- ▶ Higher after-tax income inequality when
  - ▶ labor supply is more elastic (lower  $\gamma \implies$  higher  $\varepsilon$ )
  - ▶ taxes are less progressive (lower  $\phi$ )
  - ▶ tasks are more substitutable (higher  $\beta$ )

# Social Welfare

- ▶ With a constant degree of inequality aversion  $\rho$ , we can write

$$W = \Delta \times \hat{\Theta} \times \tilde{W}$$

where

$$\Delta = \frac{\left[ \mathbb{E} \left( (r^d)^{1-\rho} \right) \right]^{1/(1-\rho)}}{\mathbb{E} (r^d)}$$

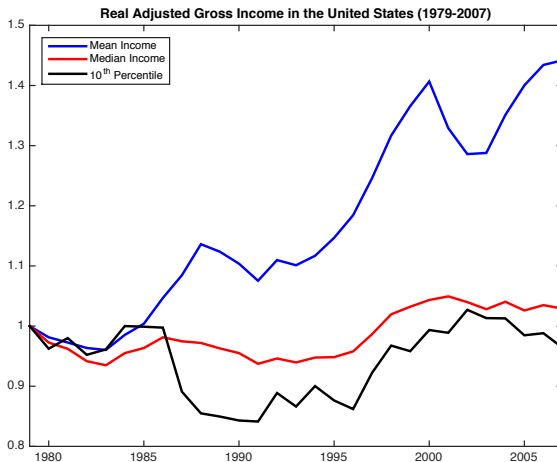
$$\hat{\Theta} = (1 + \varepsilon \phi) (1 - \phi)^{\varepsilon \kappa} \left[ \frac{(Er)^{1+\varepsilon}}{(\mathbb{E} r^{1-\phi})^\varepsilon \cdot \mathbb{E} (r^{1+\varepsilon \phi})} \right]^\kappa$$

and  $\kappa = 1 / (1 - (1 - \beta)(1 + \varepsilon)) > 1$ .

- ▶  $\Delta$  is the same welfarist correction as in our example
- ▶  $\hat{\Theta}$  is a slightly modified costly-redistribution correction
- ▶  $\tilde{W}$  is welfare in a **hypothetical ‘Kaldor-Hicks’ economy**

# A First Look at the Data

- ▶ Let us first use our closed-economy model to interpret these trends



## Calibration: U.S. Income Growth (1979-2007)

- ▶ Use U.S. Individual Income Tax Public Use Sample to calibrate distribution of market income
  - ▶ approximately 150,000 anonymized tax returns per year
  - ▶ use NBER weights to ensure this is a representative sample
  - ▶ we map market income to adjusted gross income (AGI) in line 37 of IRS Form 1040

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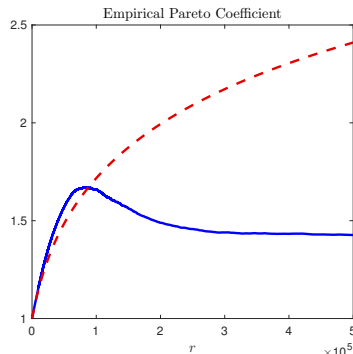
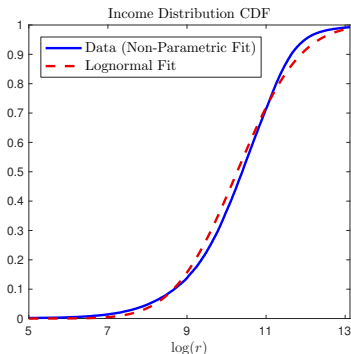
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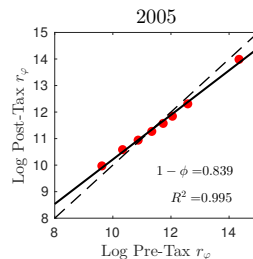
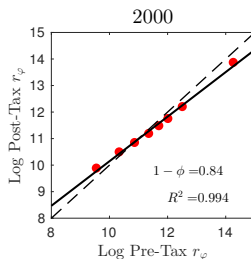
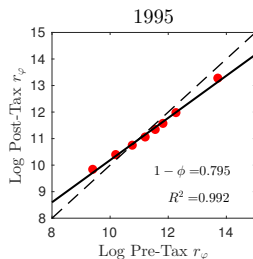
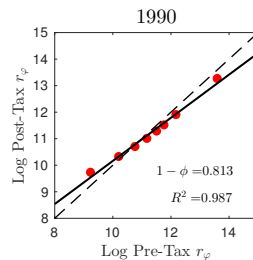
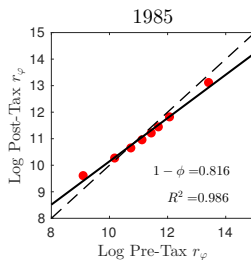
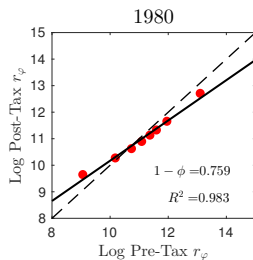
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- ▶ Experiment with various values of  $\rho$  (benchmark  $\rho = 1$ )

# Calibrating the Income Distribution

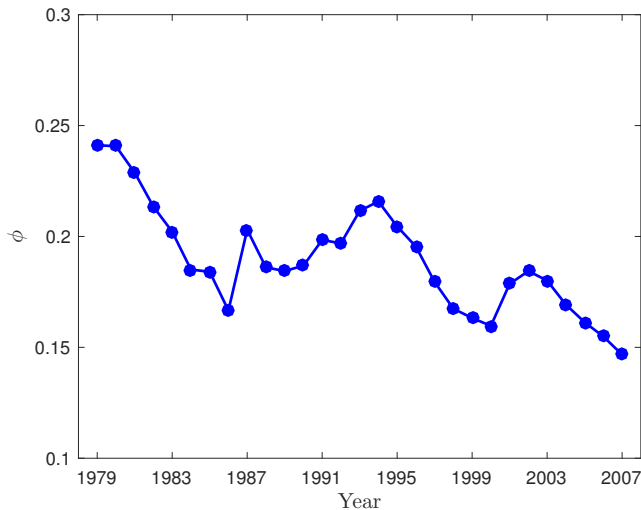
- Lognormal provides a reasonably good approximation, but it does a poor fit for the right-tail of the distribution, which looks Pareto



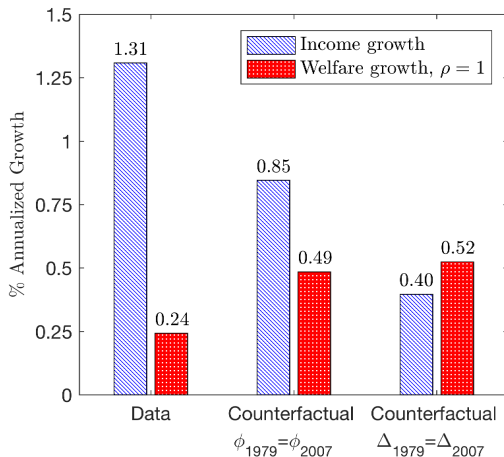
# Calibrating Tax Progressivity



# U.S. Progressivity Over Time

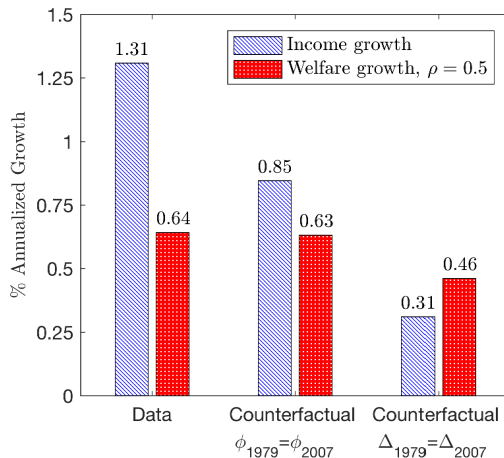


# Social Welfare and Counterfactuals



► Path of Corrections

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# OPEN ECONOMY MODEL

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  - ▶ Trade/Offshoring involves two types of additional costs
1. Symmetric iceberg cost  $\tau$  (reduces revenue per unit shipped)

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- ▶ Consider a world economy with  $N + 1$  symmetric countries
- ▶ Agents can market their output locally or in any other of  $N$  countries
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- ▶ Sale revenue is now

$$r_\varphi = \Upsilon_{n_\varphi}^{1-\beta} Q^{1-\beta} y_\varphi^\beta, \quad (2)$$

where

$$\Upsilon_{n_\varphi} = 1 + n_\varphi \tau^{-\frac{\beta}{1-\beta}}$$

and  $y_\varphi = \varphi \ell_\varphi$  is total output

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- ▶ Agents choose labor input  $\ell_\varphi$  and market access investment  $n_\varphi$  to maximize utility given the revenue function (2) and budget constraint (14)
- ▶ Given symmetry, goods market clearing imposes

$$Q = \left( \int_0^1 \Upsilon_{n_\varphi}^{1-\beta} y_\varphi^\beta dH_\varphi \right)^{1/\beta}$$



# Trade and Inequality

- **Result:** Relative to autarky, trade increases inequality of revenues and utilities

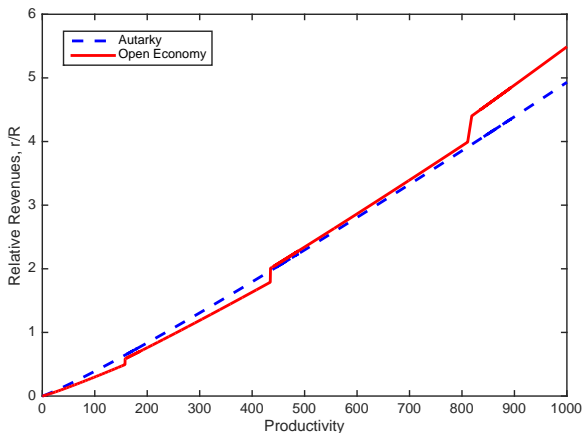
$$\frac{r_\varphi}{Q} \propto \begin{cases} \varphi^{\frac{\beta(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}}, & \varphi < \varphi_{x1}, \\ \tau_1^{\frac{(1-\beta)(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}} \varphi^{\frac{\beta(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}}, & \varphi < \varphi_{x2}, \\ \vdots & \vdots \\ \tau_N^{\frac{(1-\beta)(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}} \varphi^{\frac{\beta(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}}, & \varphi \geq \varphi_{xN} \end{cases} \quad \tau_n = 1 + n\tau^{-\frac{\beta}{1-\beta}}$$

- Two limiting cases:
  - no agent exports ( $\varphi_{x1} \rightarrow \infty$ )
  - all agents export ( $\varphi_{xN} \rightarrow \varphi_{\min}$ )

$$\frac{r_\varphi}{Q} = \frac{r_{\varphi, \text{aut}}}{Q_{\text{aut}}} \propto \varphi^{\frac{\beta(1+\varepsilon)(1-\phi)}{1+\varepsilon\phi}}$$

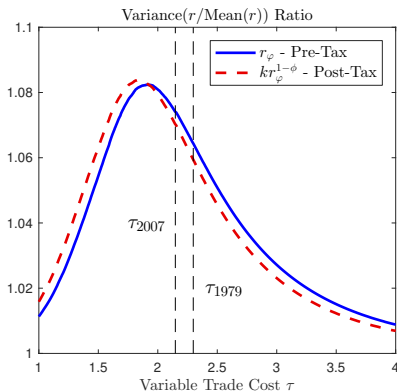
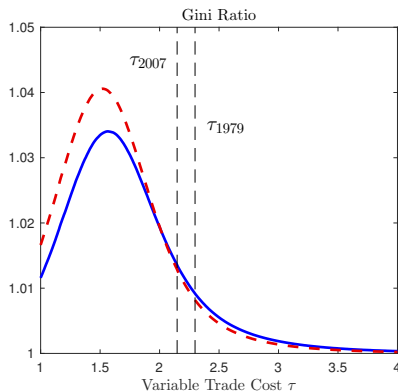
## Trade and Inequality (cont.)

- Relative to autarky, trade increases relative sale revenue of high-ability workers but reduces that of low-ability workers



# Trade and Inequality (cont.)

- Although inequality could eventually decline with trade, we are far from that region



# Calibration and Counterfactuals: Road Map

- ▶ We first calibrate the model to 2007 U.S. data
  - ▶ as in the closed economy but with additional trade moments
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$$W = \frac{\left[ \mathbb{E}(u_\varphi)^{1-\rho} \right]^{\frac{1}{1-\rho}}}{\mathbb{E}u_\varphi} \times \frac{\mathbb{E}u_\varphi}{\tilde{W}} \times \tilde{W} = \Delta_T \times \Theta_T \times \tilde{W}_T.$$

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1. How large is  $W'/W$  for different degrees of inequality aversion?



# Calibration

- ▶ For our benchmark results, hold the following primitives constant
  1. As in closed economy, set  $\beta = 4/5$  and  $\gamma = 2.4$ , so that  $\varepsilon = 0.5$
  2. Number of countries  $N = 5$  (i.e. U.S. is 18.3% of world GDP)

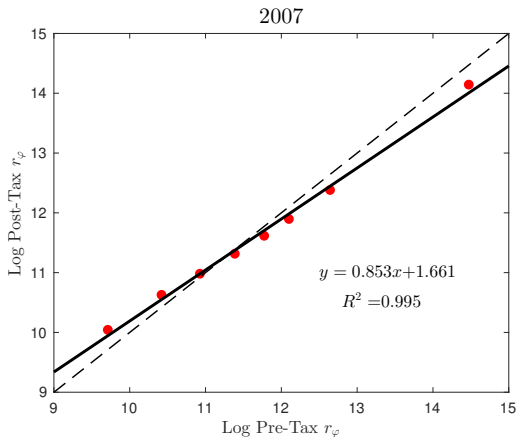


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- ▶ Jointly calibrate trade parameters  $(\tau, f_x, \alpha)$  and the ability distribution  $H_\varphi$  to match:
  1. 2007 trade share of 7.7% from NIPA  $\implies \tau = 2.15$
  2. Share of exporter sales in total sales = 61.8%  $\implies f_x = \$675$
  3. Skewness of exporting firms' sales so that firms that export to  $n > 1$  destinations account for 88.9% of total exporters' sales  $\implies \alpha = 0.55$
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- ▶ In the counterfactuals, we then set  $\tau_{1979} = 2.30$  to match 1979 trade share of 4.9% (holding all else equal); also  $\tau_{autarky} = +\infty$

## Calibration: Progressivity

- Note from (1) that  $\ln r^d = \ln k + (1 - \phi) \ln r(\varphi) \implies \phi = 0.147$



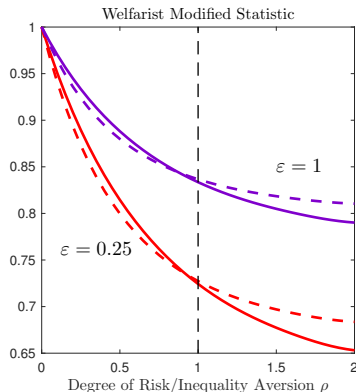
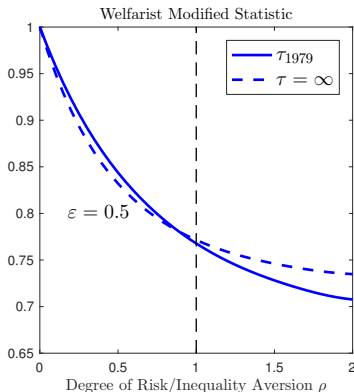
# Calibrated Welfare Gains from Trade and Inequality

- ▶ Calibrated welfare gains from trade are higher, the higher is the labor supply elasticity  $\varepsilon$  (Arkolakis and Esposito, 2014)
- ▶ But relative to autarky trade induces more inequality when  $\varepsilon$  is high

|                      | % Consumption Gains |                 | % Welfare Gains ( $\rho = 0$ ) |                 | % Increase in Gini |                 |
|----------------------|---------------------|-----------------|--------------------------------|-----------------|--------------------|-----------------|
|                      | $\tau_{1979}$       | $\tau = \infty$ | $\tau_{1979}$                  | $\tau = \infty$ | $\tau_{1979}$      | $\tau = \infty$ |
| $\varepsilon = 0.25$ | 0.8                 | 2.4             | 0.8                            | 2.3             | 0.4                | 1.1             |
| $\varepsilon = 0.5$  | 1.2                 | 3.4             | 1.1                            | 3.2             | 0.5                | 1.3             |
| $\varepsilon = 1$    | 2.0                 | 6.0             | 1.9                            | 5.6             | 0.6                | 1.6             |

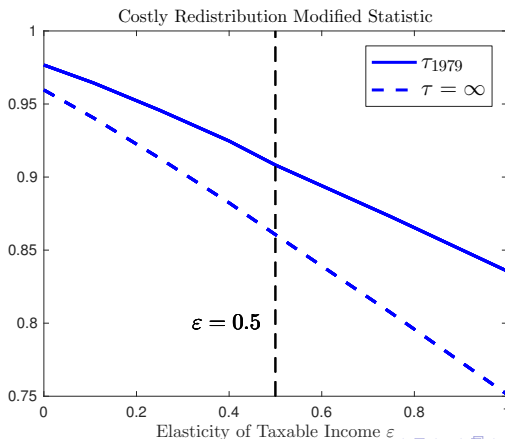
# Welfarist Correction

- ▶ Welfarist correction is higher, the higher is  $\rho$  and the lower is  $\varepsilon$
- ▶ With log utility ( $\rho = 1$ ) and a labor supply elasticity of  $\varepsilon = 0.5$ , welfare gains are 23% lower

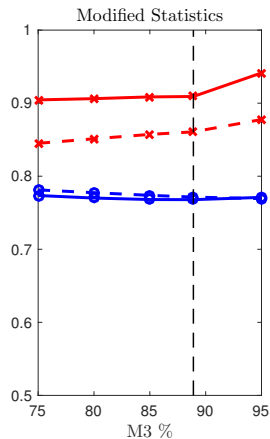
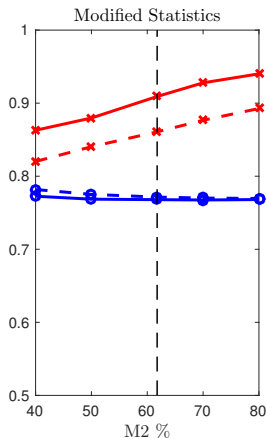
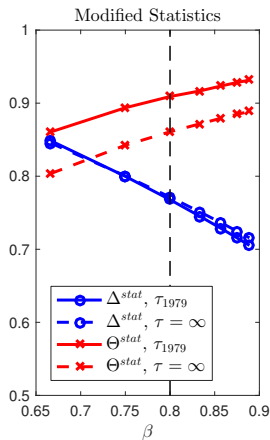


## Costly Redistribution Correction

- ▶ Costly redistribution correction is higher, the higher is  $\varepsilon$
- ▶ When  $\varepsilon = 0.5$ , welfare gains would be 10% higher (for  $\tau_{1979}$ ) and 16% higher (for  $\tau_{autarky}$ ) with costless redistribution



# Robustness and Additional Exercises



► More Robustness

# Conclusions

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- ▶ In this paper, we have developed welfarist and costly redistribution corrections to standard measures of the gains from trade integration
- ▶ Under plausible parameter values, these corrections are nonnegligible

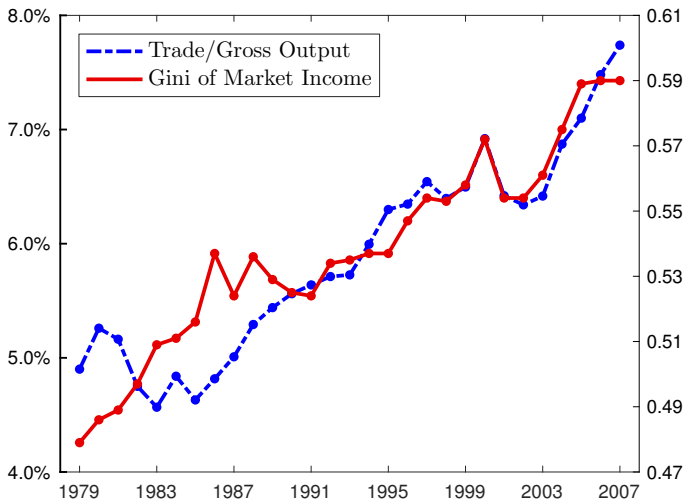
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“If, as will often happen, the best methods of compensation feasible involve some loss in productive efficiency, this loss will have to be taken into account.”

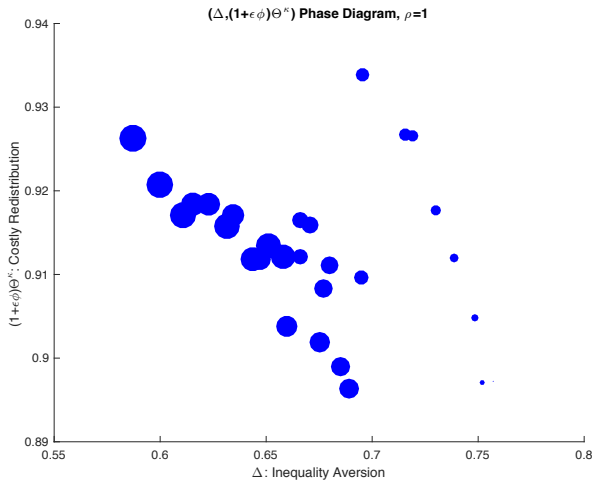


Hicks (1939, p. 712)

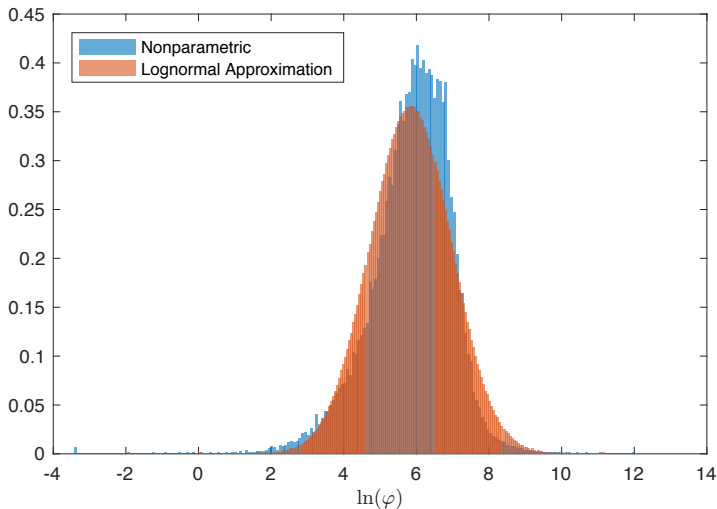
# Trade Integration and Income Inequality in the U.S.



# Evolution of $\Delta$ and $\hat{\Theta}$ Over Time



# Implied 2007 Ability Distribution $H_\varphi$

[▶ BACK](#)



# Robustness and Additional Exercises

|                 |         | Benchmark<br>(a) | Avg. $\phi$<br>(b) | Endog. $\phi$<br>(c) | $N = 3$<br>(d) | $N = 7$<br>(e) | Manuf.<br>(f) | LN $\varphi$<br>(g) |
|-----------------|---------|------------------|--------------------|----------------------|----------------|----------------|---------------|---------------------|
| $\Delta^{Stat}$ | 1979    | 0.77             | 0.81               | 0.44                 | 0.77           | 0.77           | 0.77          | 0.76                |
|                 | Autarky | 0.77             | 0.82               | 0.71                 | 0.77           | 0.78           | 0.77          | 0.78                |
| $\Theta^{Stat}$ | 1979    | 0.91             | 0.88               | 1.81                 | 0.93           | 0.90           | 0.99          | 0.93                |
|                 | Autarky | 0.86             | 0.81               | 1.04                 | 0.88           | 0.85           | 0.94          | 0.83                |

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