

Simulations of real complex systems: computational science comes of age

PICS Inaugural Symposium
UPenn - October 10, 2013

Multiscale models for complex physical systems

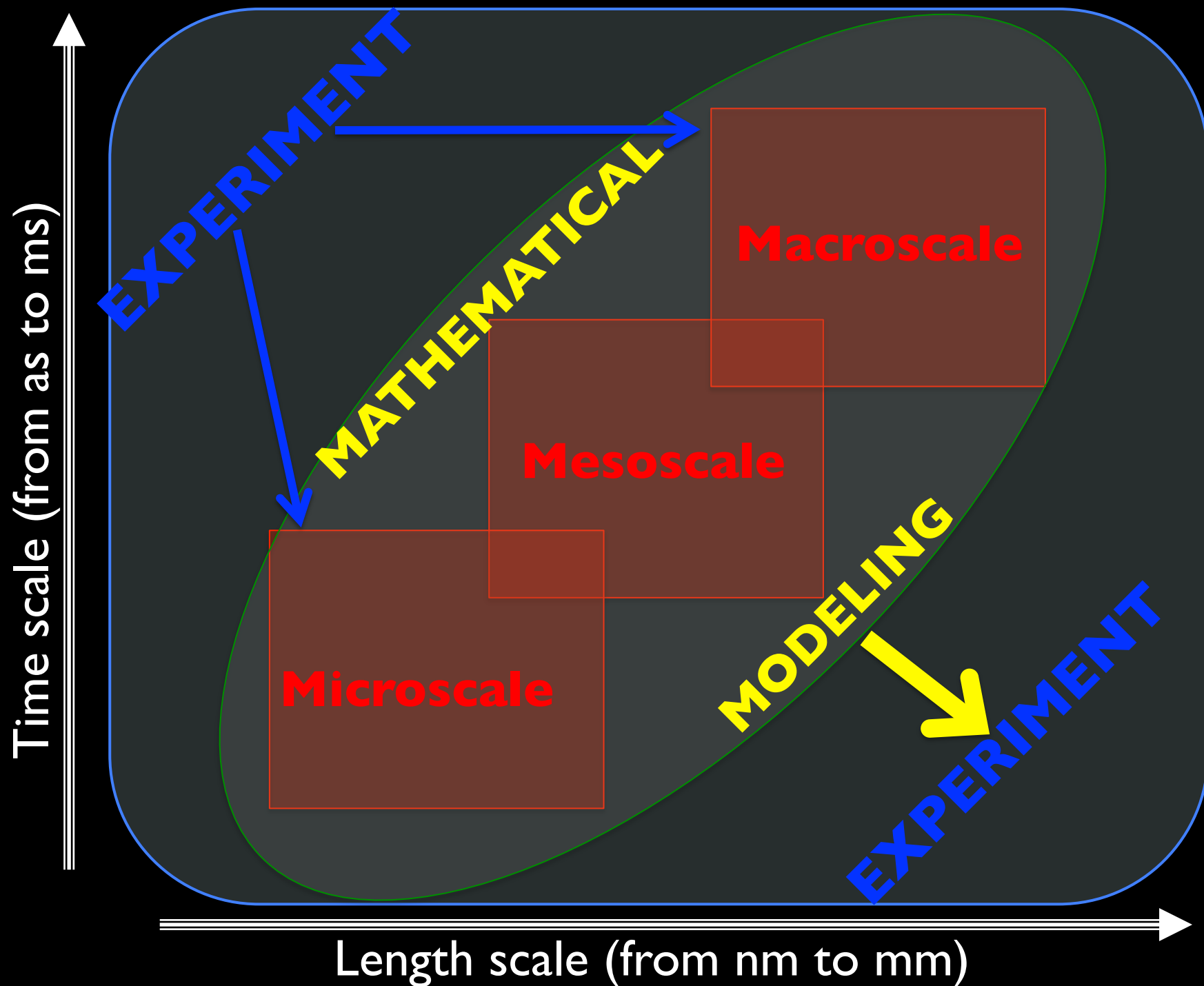
The Nobel Prize in Chemistry 2013

Martin Karplus, Michael Levitt and Arieh Warshel

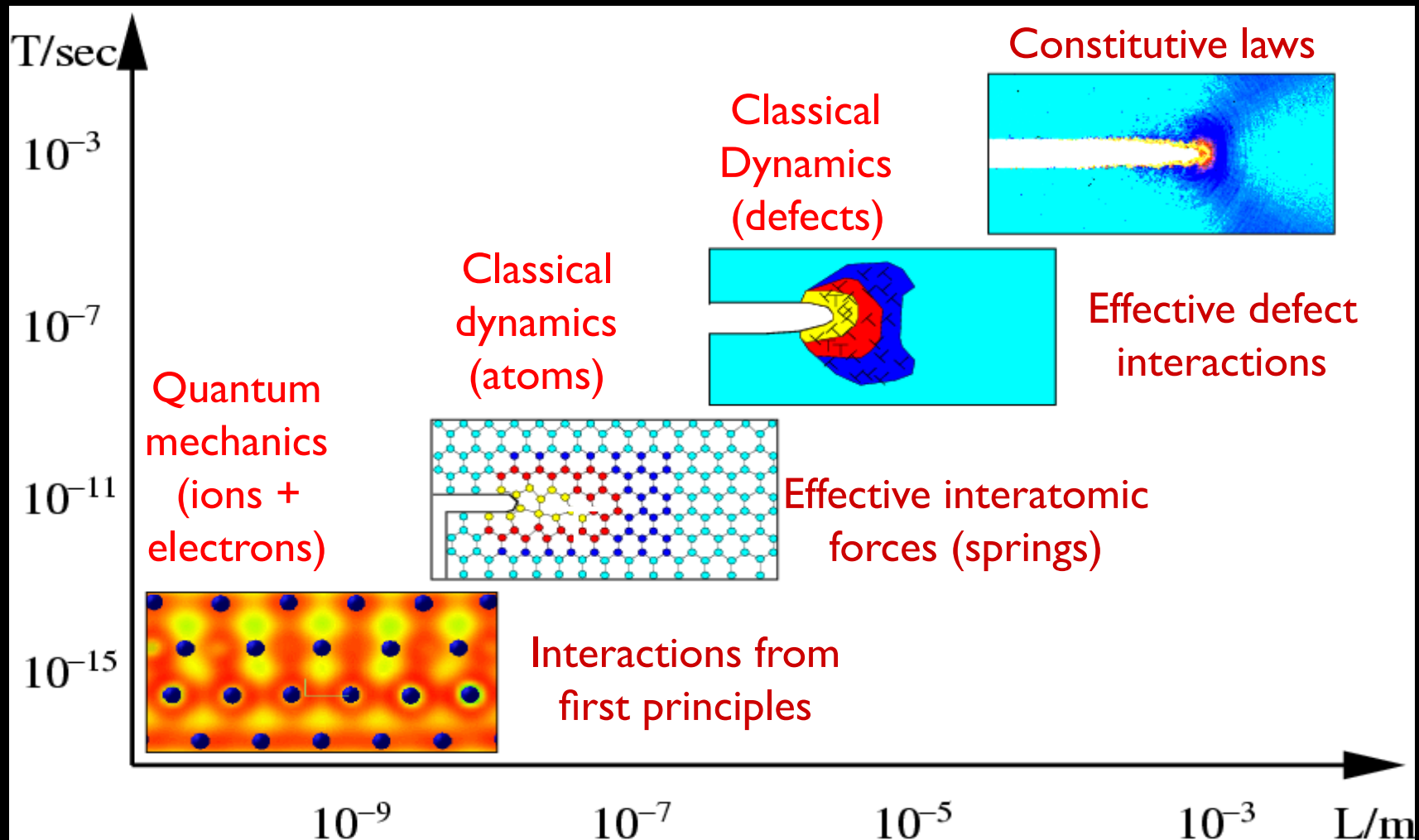
"for the development of
multiscale models for
complex chemical systems"
October 9, 2013

PICS – October 10, 2013





Multiple length/time scales: brittle fracture (corrosion)



Density Functional Theory

Many-body:

$$\left(\hat{H} - E\right) \psi(\mathbf{r}_1\sigma_1, \mathbf{r}_2, \sigma_2, \dots) = 0$$

: Unsolvable

Hohenberg & Kohn (PRB, 1964):

$$E[V(\mathbf{r})] = \min_{\rho(\mathbf{r})} E'[V(\mathbf{r}); \rho(\mathbf{r})]$$

Kohn & Sham (PRB, 1965):

$$E'[V(\mathbf{r}); \rho(\mathbf{r})] =$$

$$T_s[\rho] + E_{\text{Hart}}[\rho] + \int \rho(\mathbf{r})V(\mathbf{r})d\mathbf{r} + E_{\text{xc}}[\rho]$$

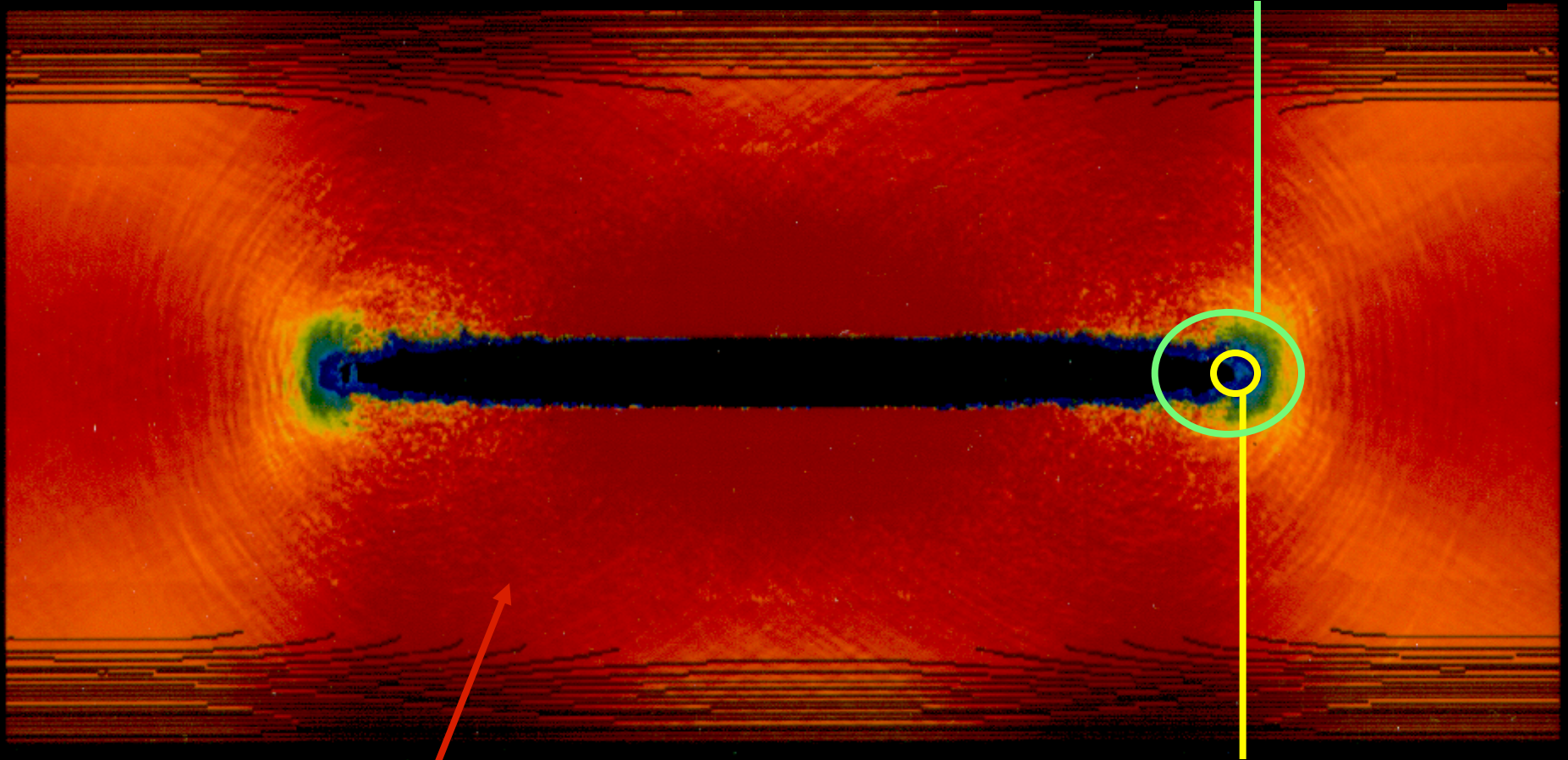
$$\left(\hat{H}_{\text{KS}} - \epsilon_i\right) \psi_i(\mathbf{r}) = 0$$

Kohn, Pople
Nobel Prize in
Chemistry, 1998

Brittle fracture of silicon

Abraham, Broughton, Bernstein, Kaxiras, PRB (1998)

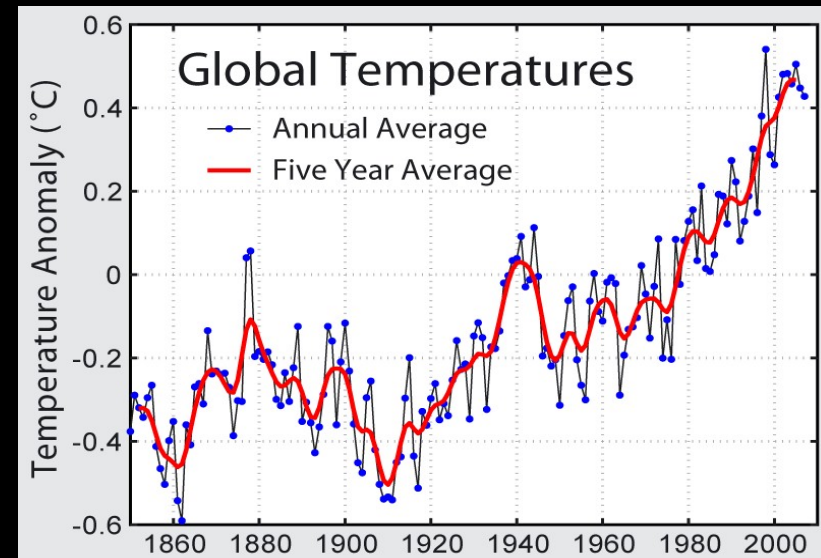
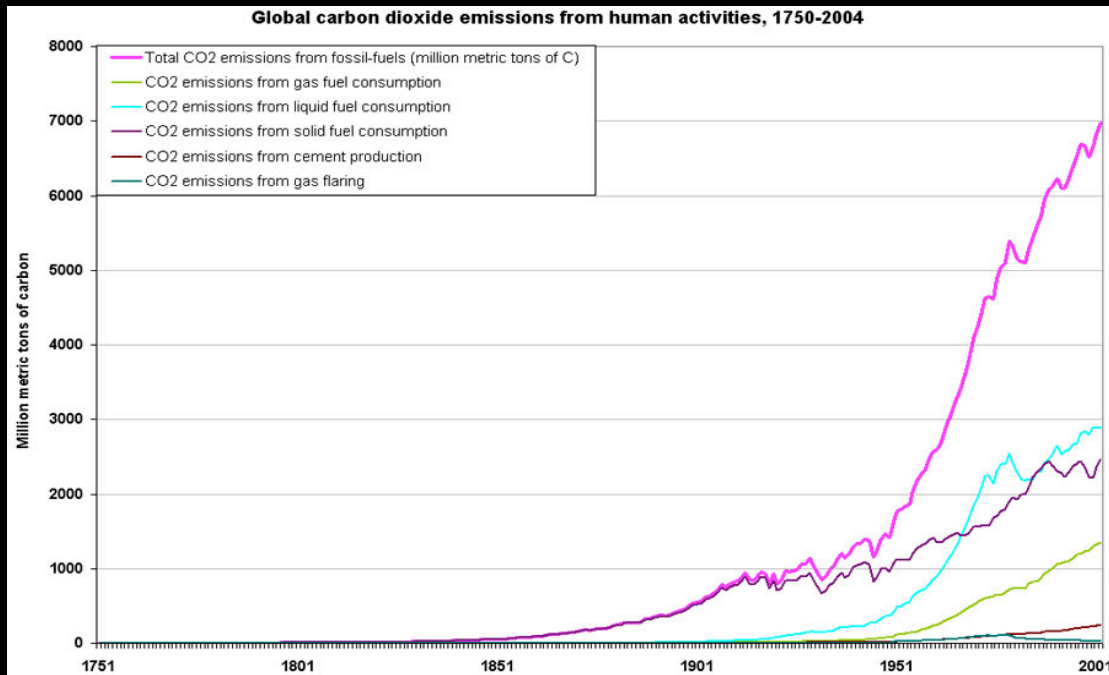
CLASSICAL ATOMISTICS



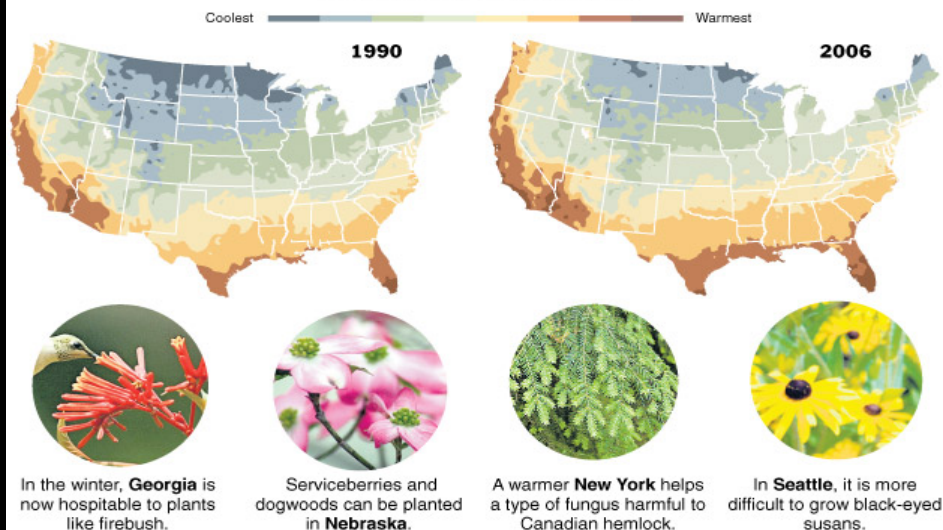
CONTINUUM MECHANICS

QUANTUM MECHANICS
Ions + electrons : chemical bonds

The need for alternative energy sources



The zones in the maps correspond to low temperatures. As warmer zones cover more of the United States, different types of plants will grow in many areas.



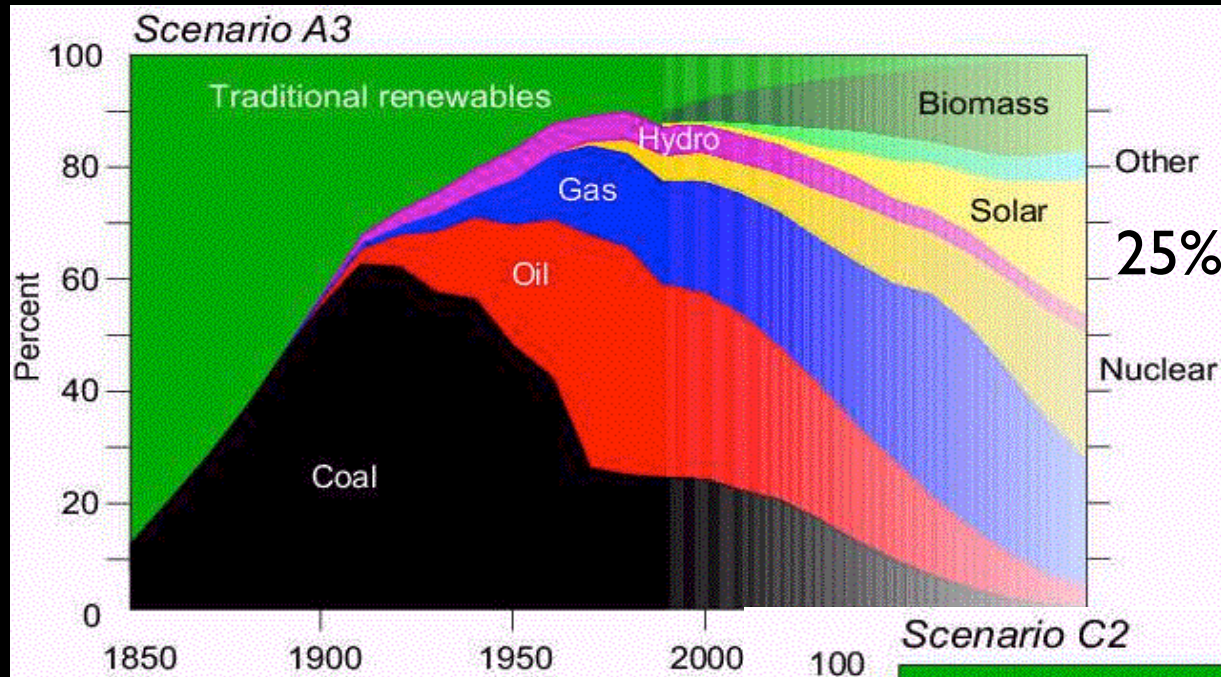
1990 zones are by the United States Department of Agriculture. 2006 zones are by the National Arbor Day Foundation.

Sources: National Arbor Day Foundation: National Wildlife Federation

The New York Times



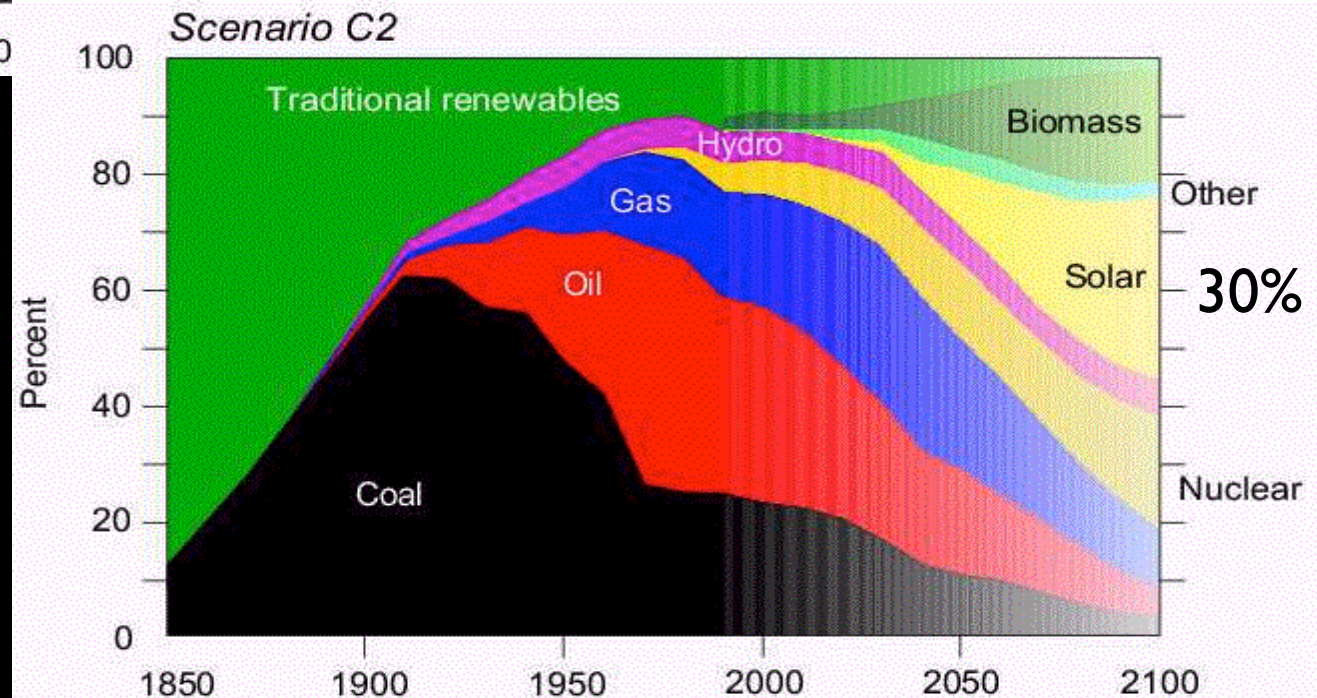
The challenge of sustainable energy

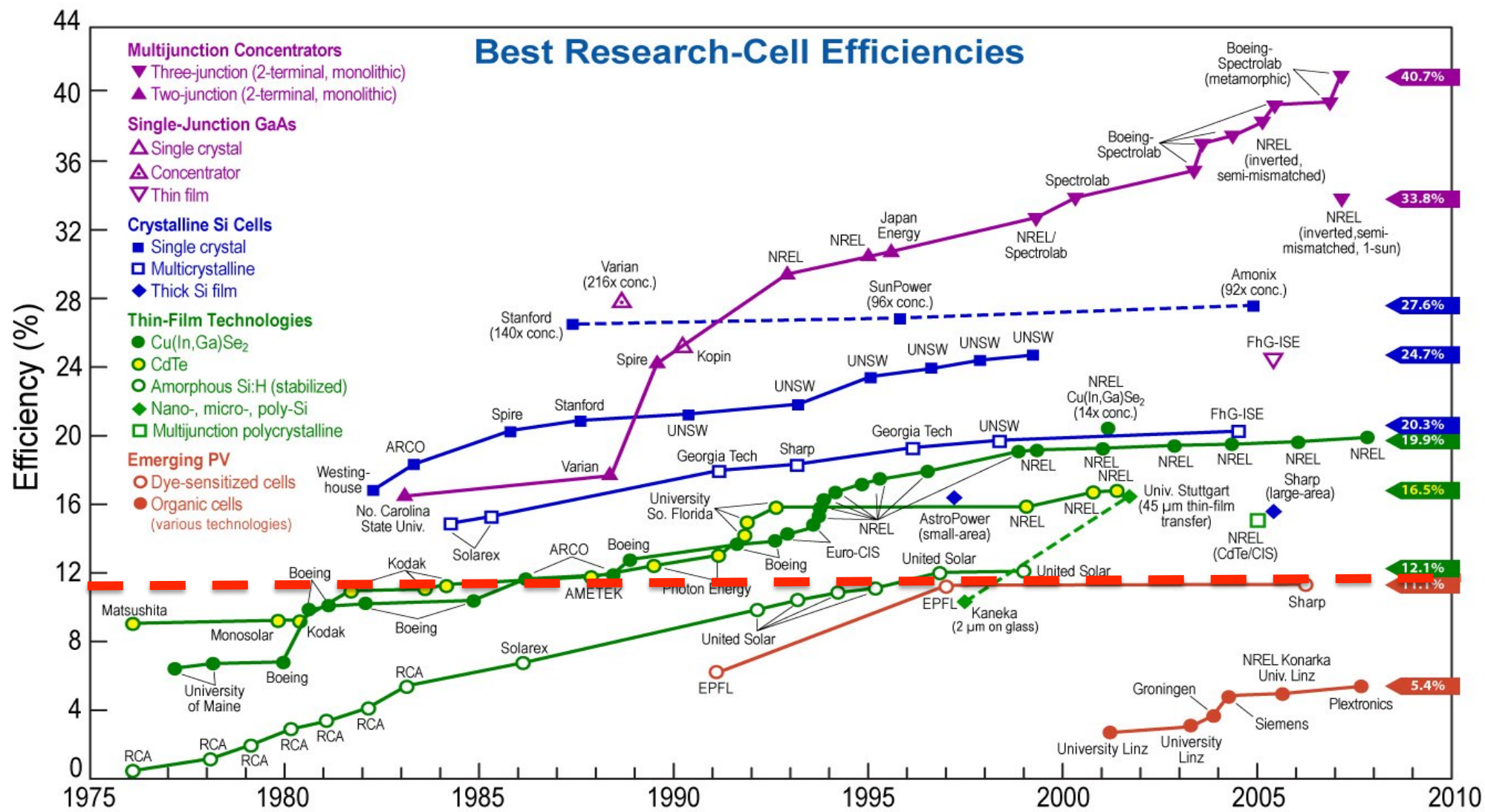


Time and resources
running out

Report of Intergovernmental
Panel on Climate Change

2007 Nobel Peace Prize
(shared with A. Gore)

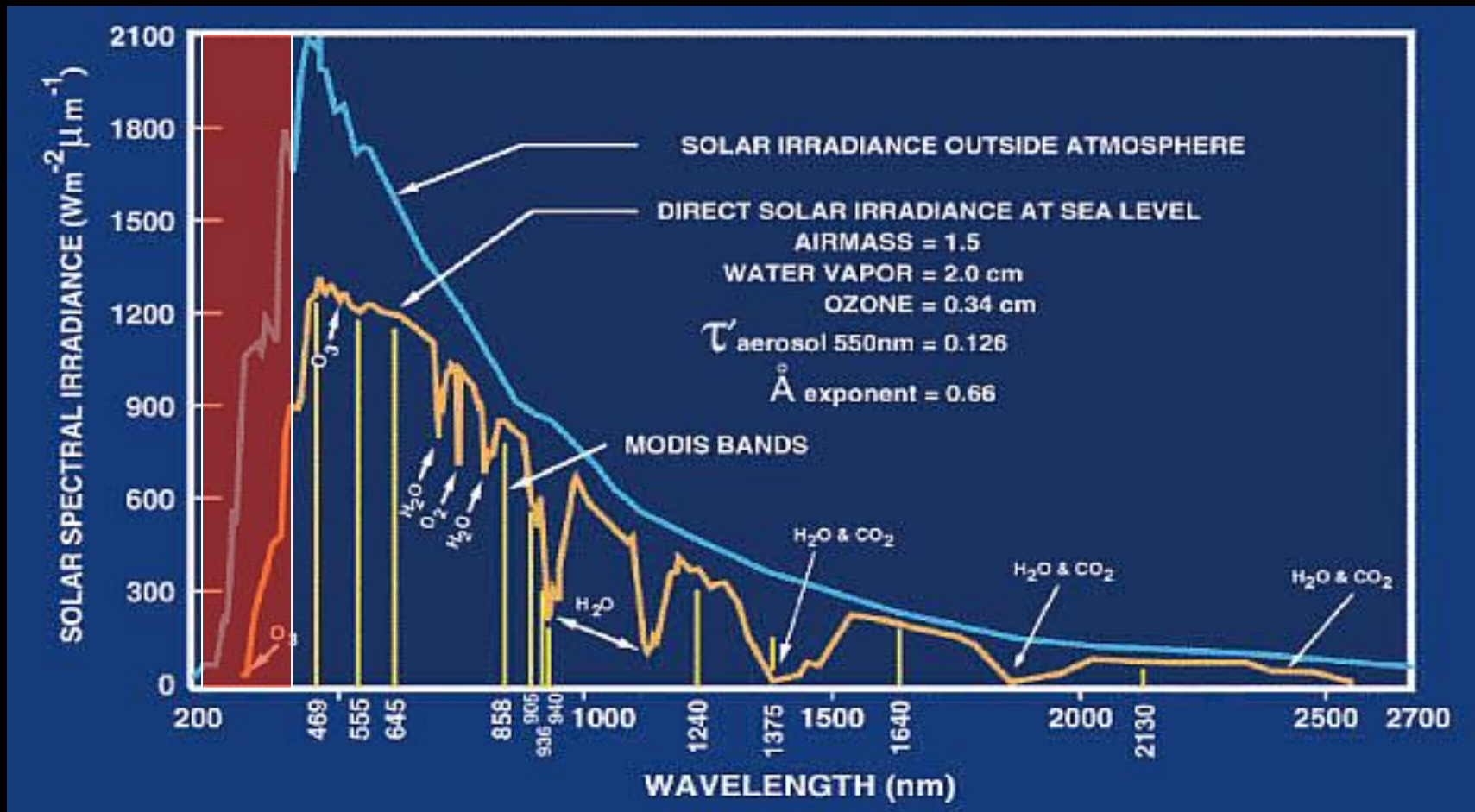




Light absorption by hybrid cells

The Problem: materials for carrier transport with large band gaps

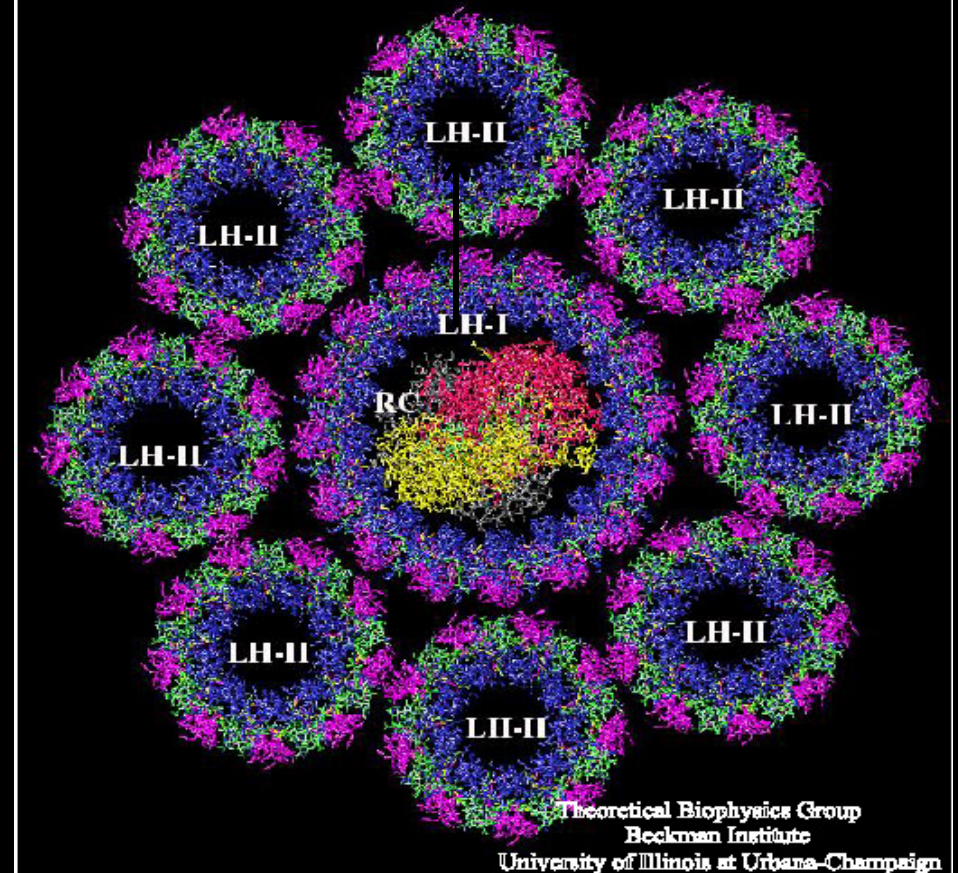
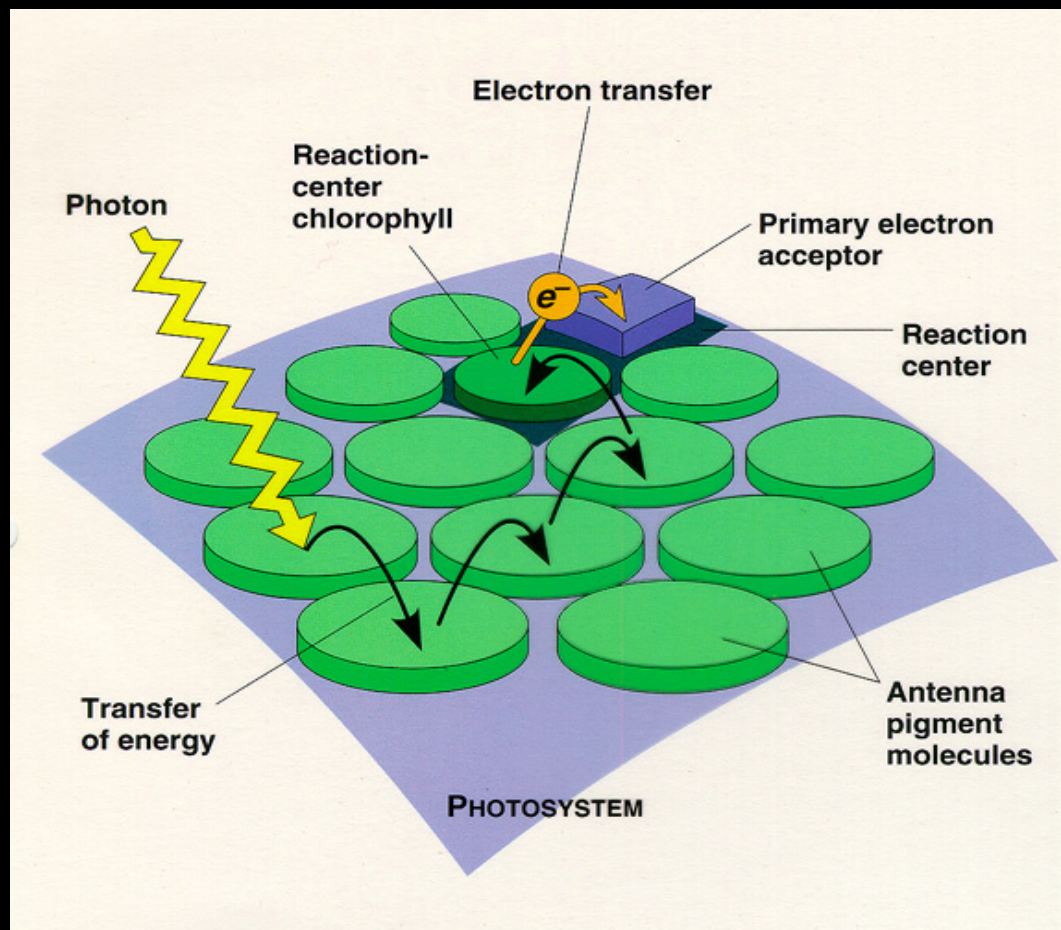
TiO_2 gap = 3.2 eV ($200 \text{ nm} < \lambda < 400 \text{ nm}$)



solar spectrum

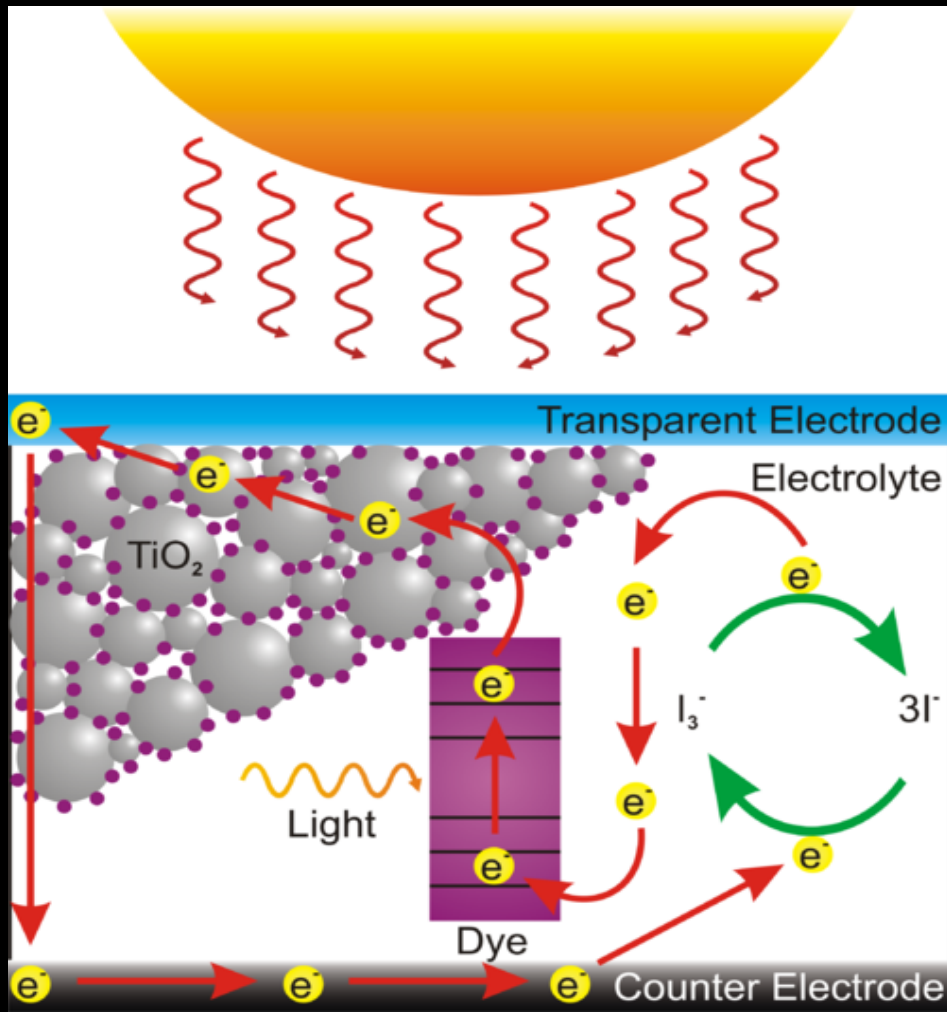
The dye-sensitized (3rd generation) solar cell

The Principle: Separate light-absorption and charge collection processes



The dye-sensitized solar cell (DSSC)

O'Regan & Graetzel, Nature (1991)



Major issues:

- stability
- efficiency

Incident Photon to Current Efficiency

$$\text{IPCE}(\lambda) = \text{LHE}(\lambda) \times \Phi(\text{inj}) \times \eta(c)$$

LHE = Light Harvesting Efficiency

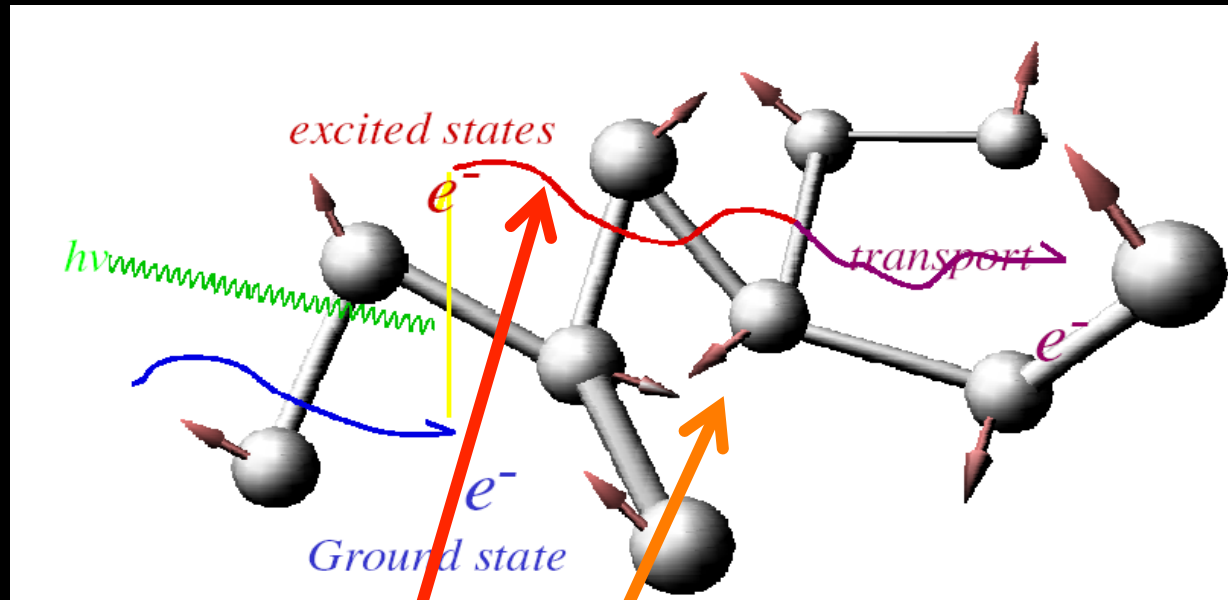
$\Phi(\text{inj})$ = electron injection efficiency

$\eta(c)$ = charge collection efficiency

Main issue: coupled electron-ion dynamics

Previous work:

- Schroedinger eq. with model Hamiltonian
Thoss, Miller, Stock, JCP (2000);
Rego& Batista, JACS (2003);...
- semiempirical Hamiltonian (tight-binding)
Allen et al., JMO (2003);...
- ground state DFT + TDDFT
Prezhdo et al., PRL (2005); JACS (2007)...



self-consistent TDDFT with atomic motion

Meng & Kaxiras, J. Chem. Phys. (2008).

Coupled electron-ion dynamics

10^{-18} s

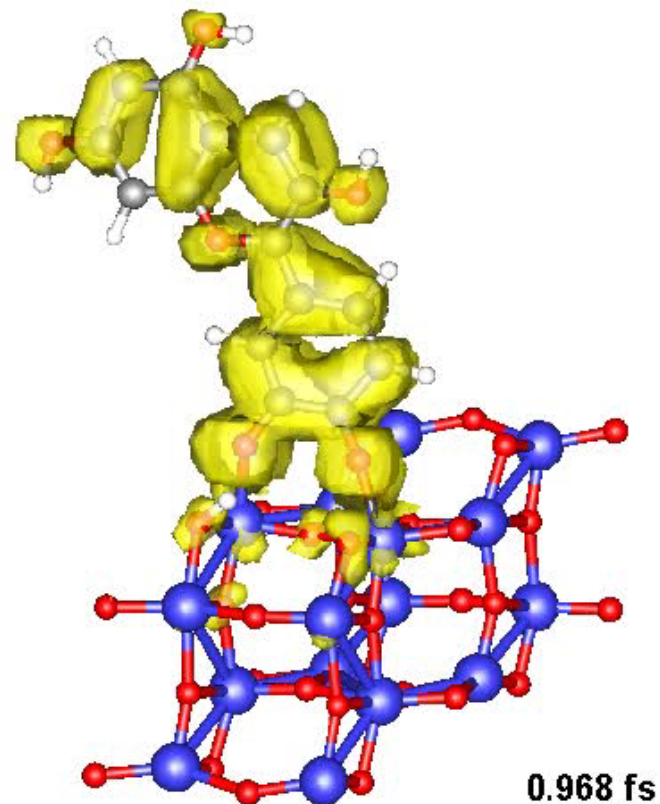
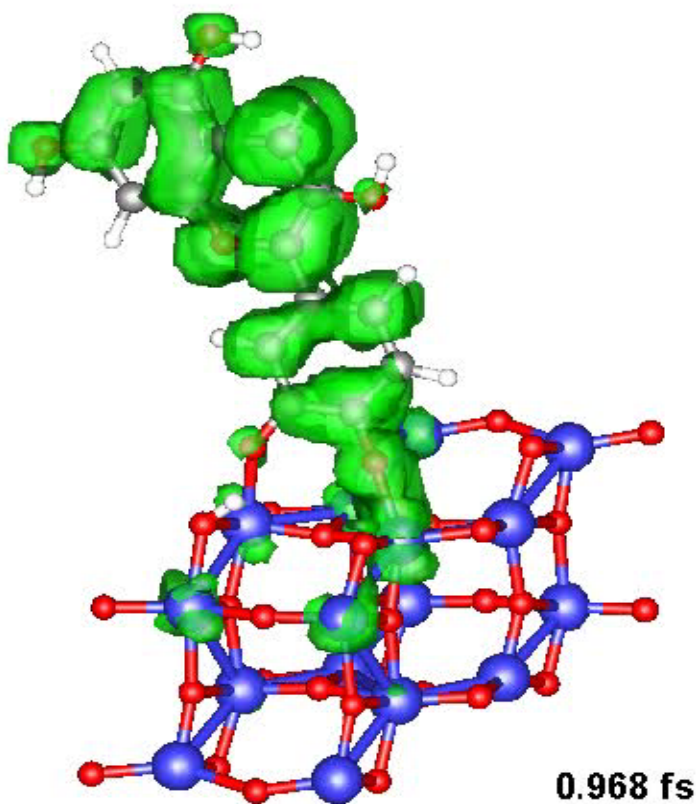
10^{-15} s

Transport: 10^{-12} s

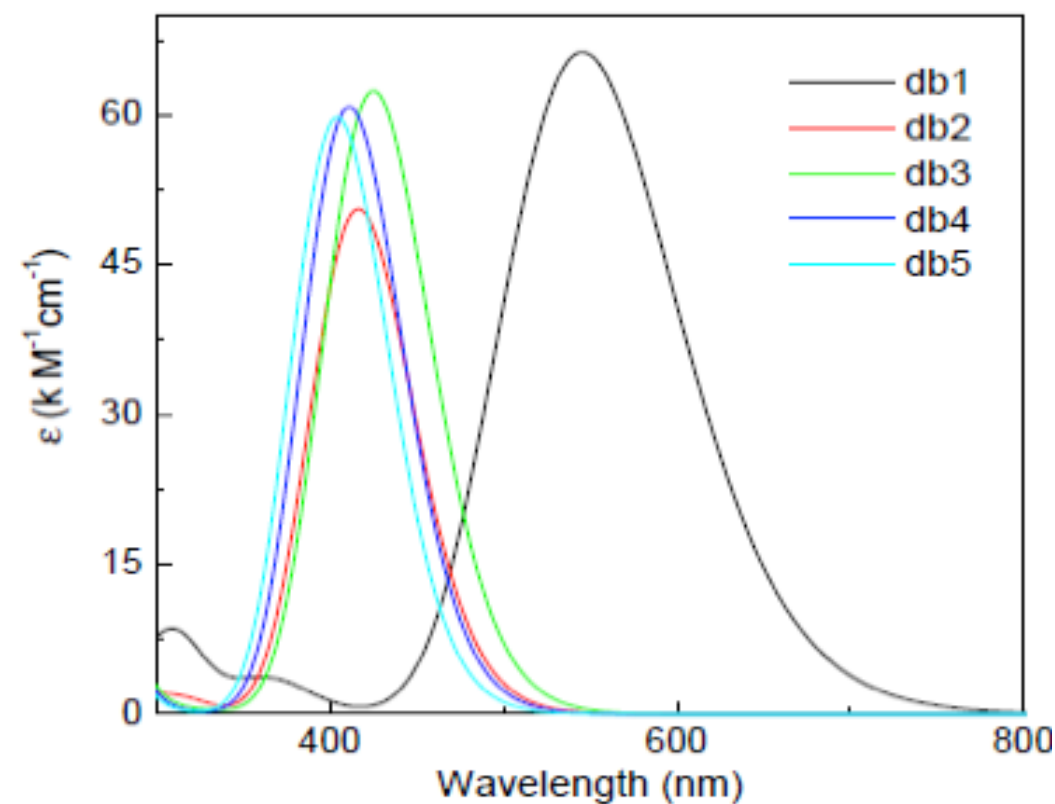
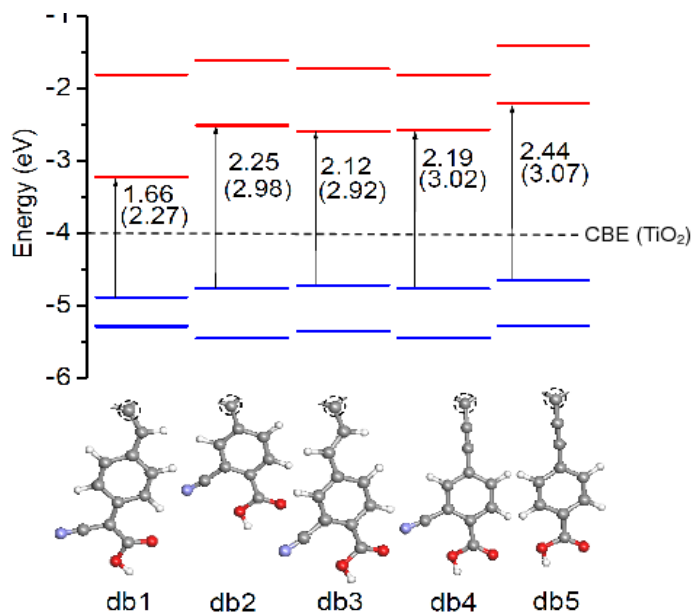
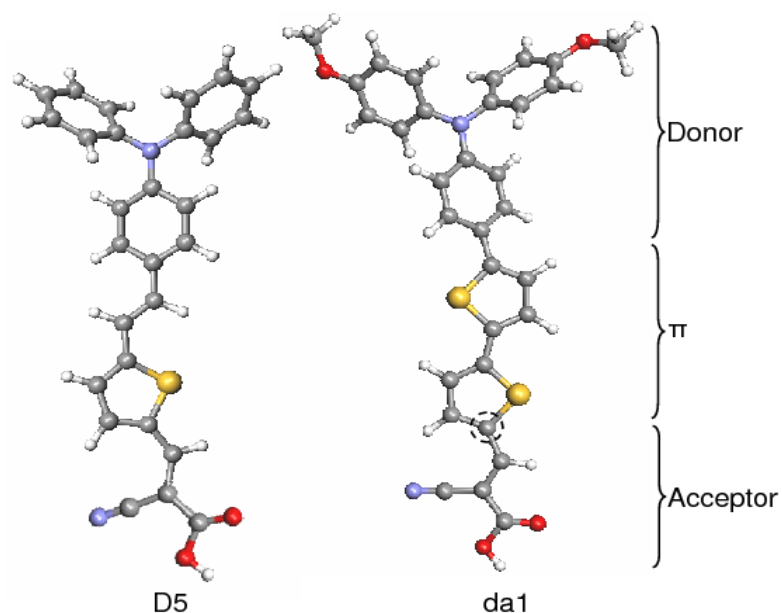
$$\left\{ \begin{array}{l} i\hbar \frac{\partial \phi_j(\mathbf{r}, t)}{\partial t} = \left[-\frac{\hbar^2}{2m} \nabla_{\mathbf{r}}^2 + v_{ext}(\mathbf{r}, t) + \int \frac{\rho(\mathbf{r}', t)}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r}' - \sum_I \frac{Z_I}{|\mathbf{r} - \mathbf{R}_I^{cl}|} + v_{xc}[\rho](\mathbf{r}, t) \right] \phi_j(\mathbf{r}, t) \\ M_J \frac{d^2 \mathbf{R}_J^{cl}(t)}{dt^2} = -\nabla_{\mathbf{R}_J^{cl}} \left[V_{ext}^J(\mathbf{R}_J^{cl}, t) - \int \frac{Z_J \rho(\mathbf{r}, t)}{|\mathbf{R}_J^{cl} - \mathbf{r}|} d\mathbf{r} + \sum_{I \neq J} \frac{Z_J Z_I}{|\mathbf{R}_J^{cl} - \mathbf{R}_I^{cl}|} \right] \end{array} \right.$$

Propagation of electrons in time (TDSE) + Ehrenfest dynamics for ions

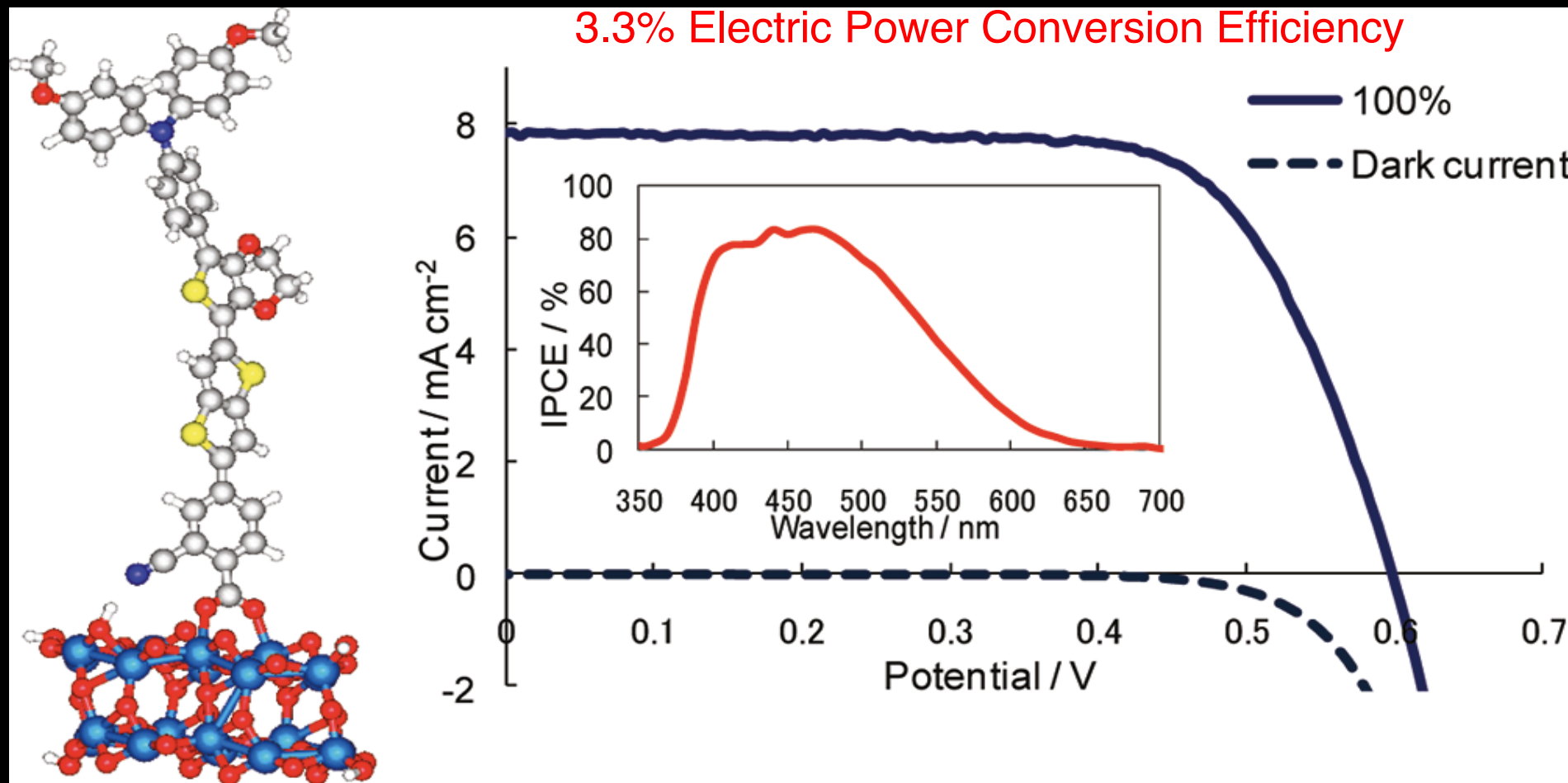
Electron and hole motion in DSSC



“Designer” dyes: Predict properties of new dyes (not yet tried in experiments)



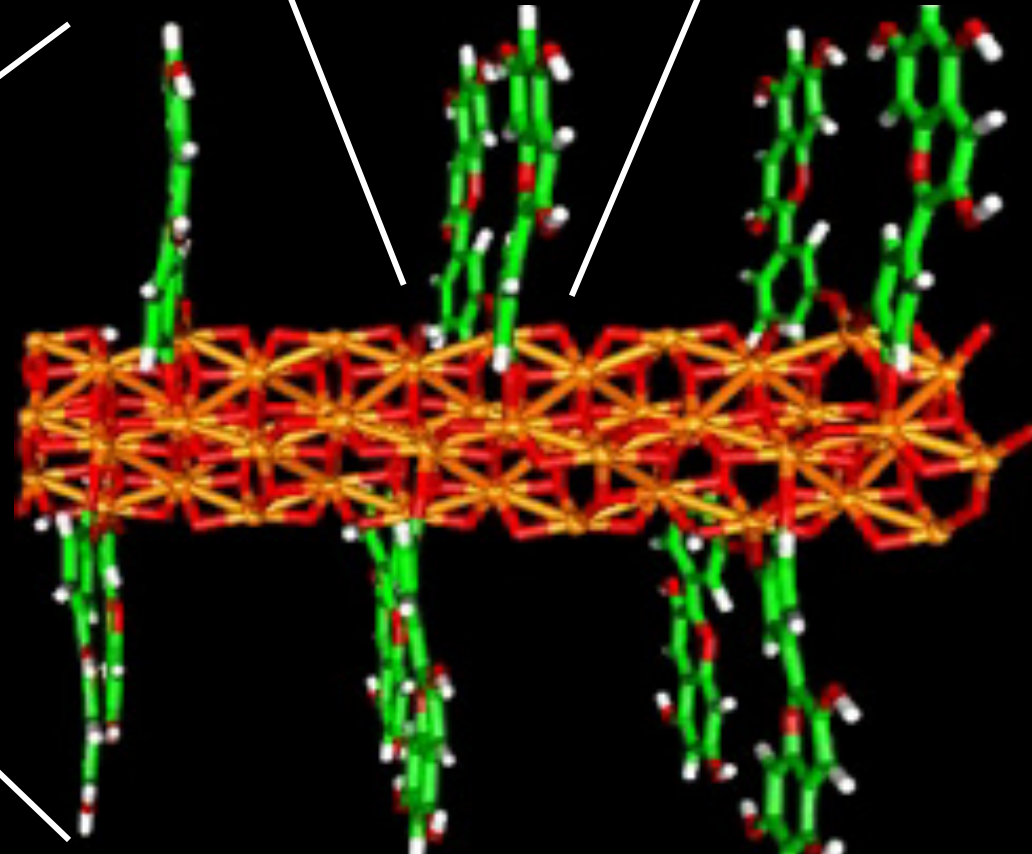
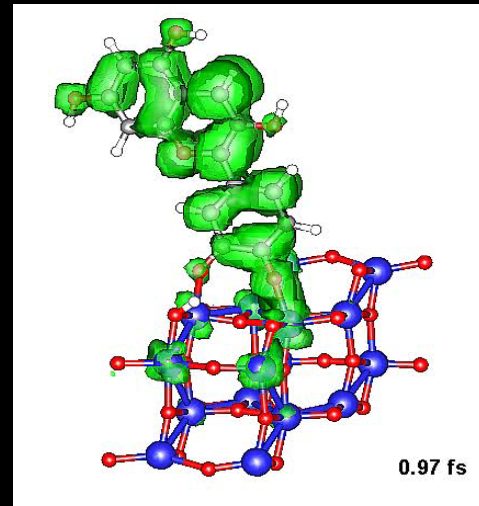
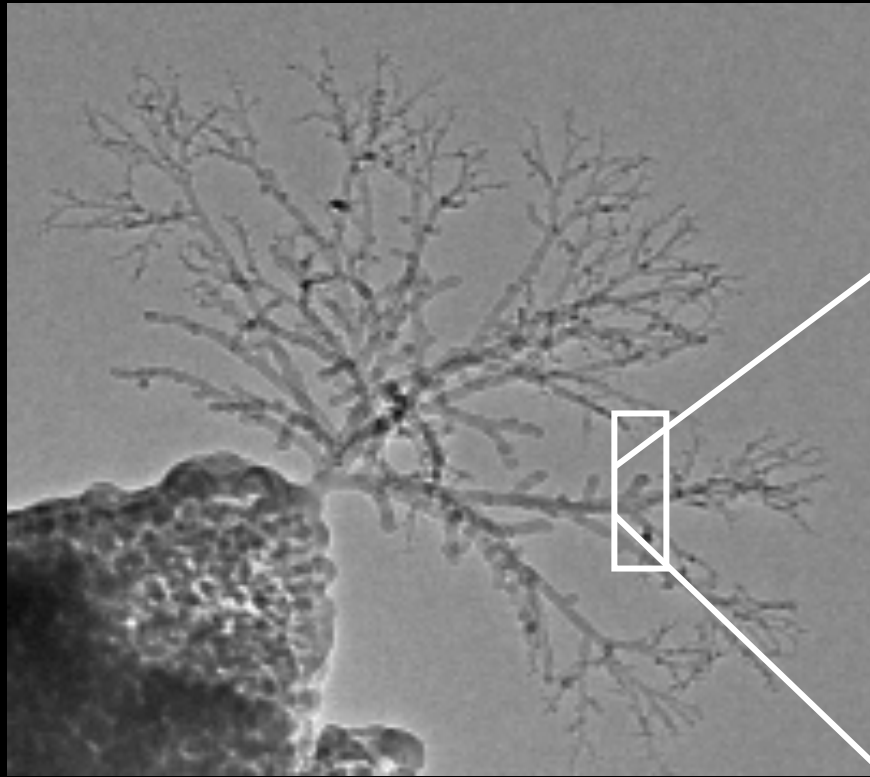
84% Incident Photon to Current Efficiency,
3.3% Electric Power Conversion Efficiency



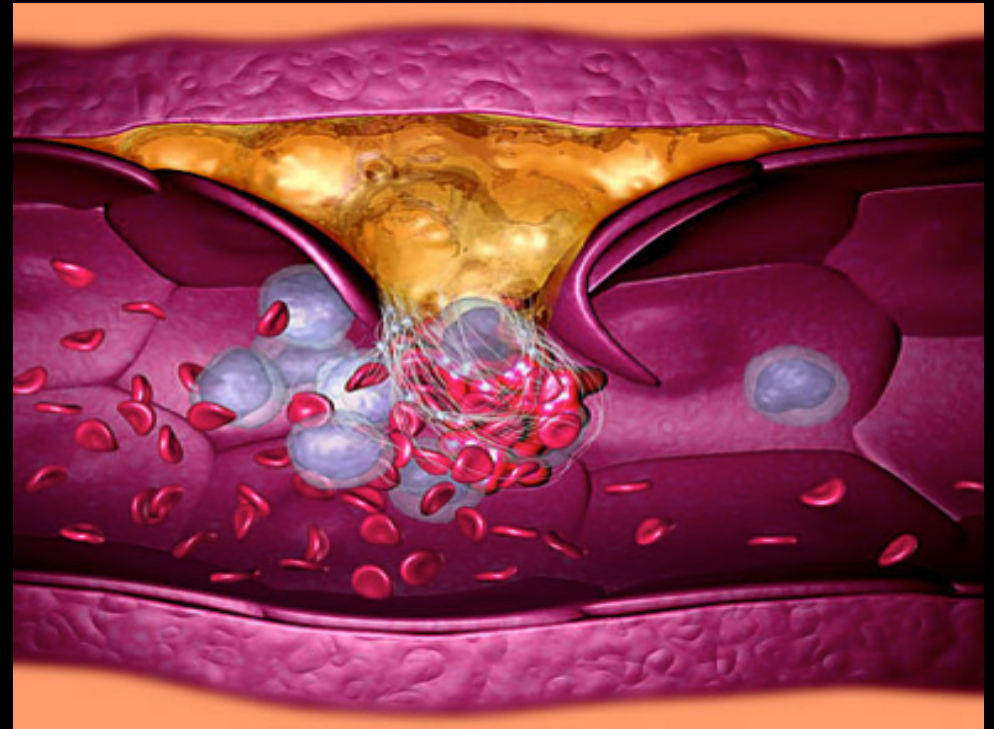
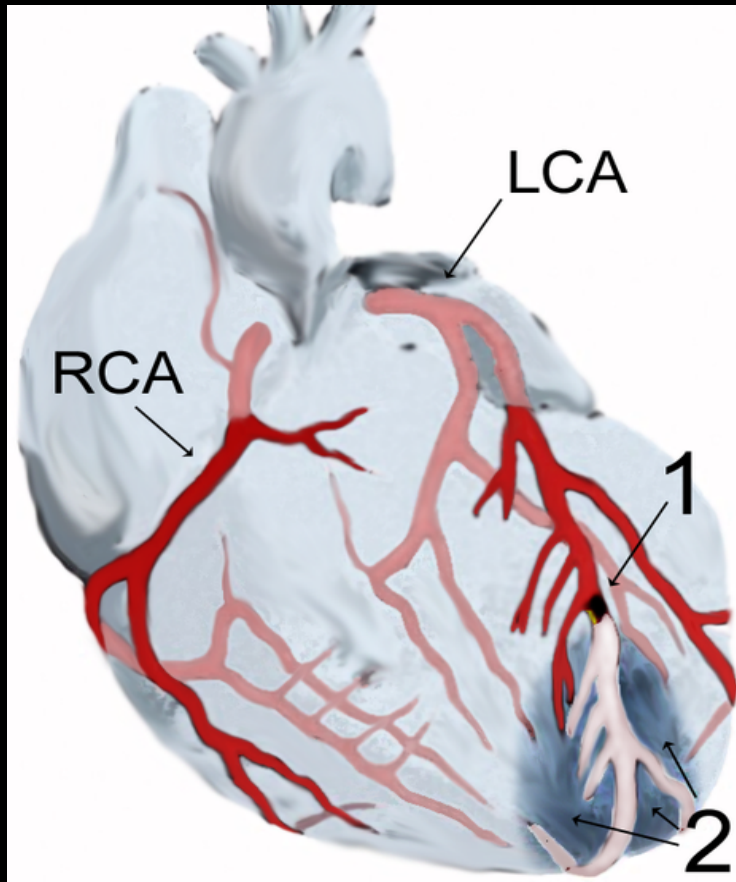
D- π -A Dye System Containing Cyano-Benzoic Acid as Anchoring Group for Dye-Sensitized Solar Cells

Masataka Katono, Takeru Bessho, Sheng Meng, Robin Humphry-Baker, Guido Rothenberger, Shaik M. Zakeeruddin, Efthimios Kaxiras, and Michael Gratzel
Langmuir 2011, **27**, 14248–14252

Artificial Nano Tree (based on QM simulations)



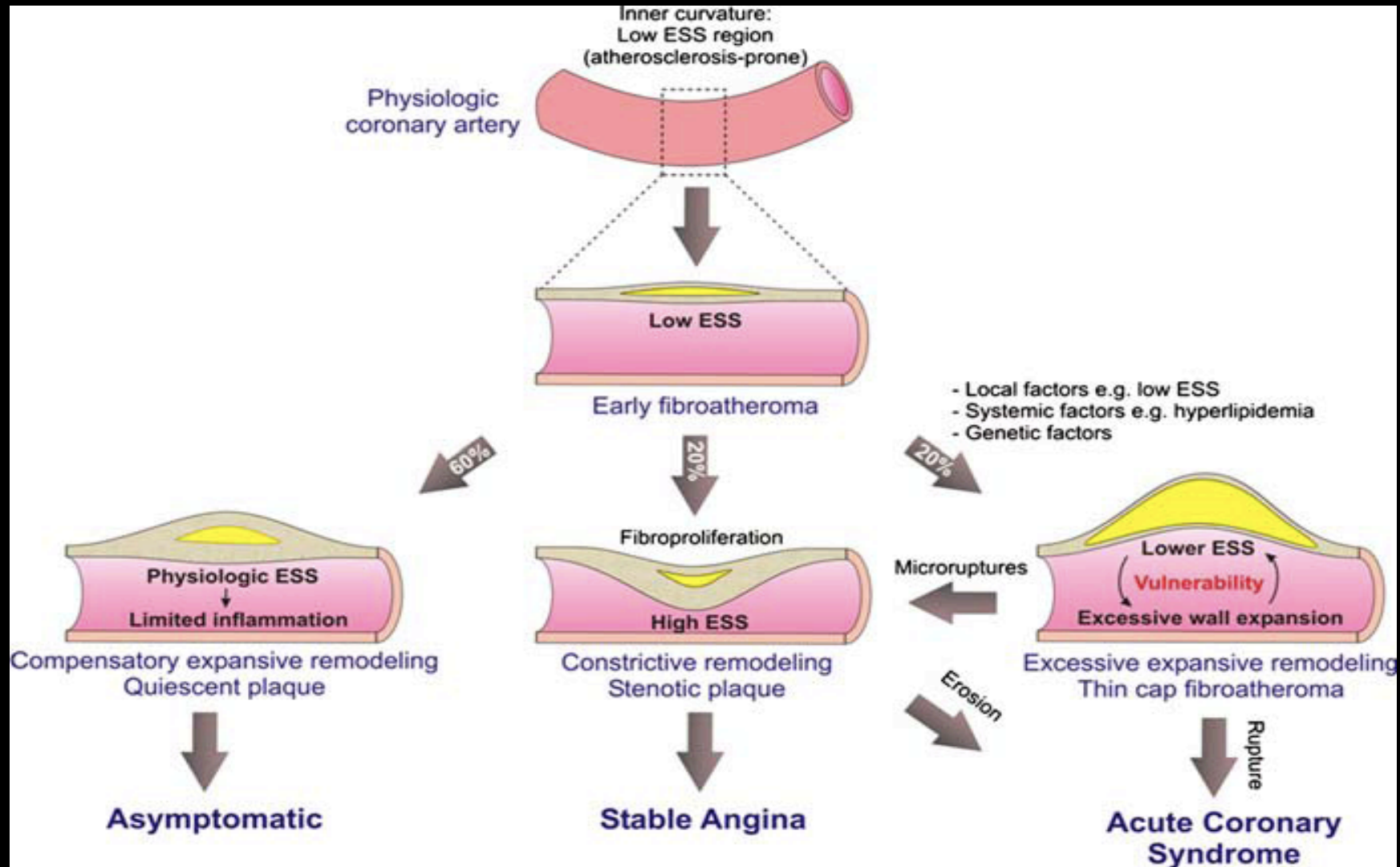
Acute Myocardial Infarction (heart attack)



- Deaths in USA: out of ~2.5 M per year total,
- 35% blood flow obstruction (80% heart, 20% brain)
 - 25% cancer (all types)

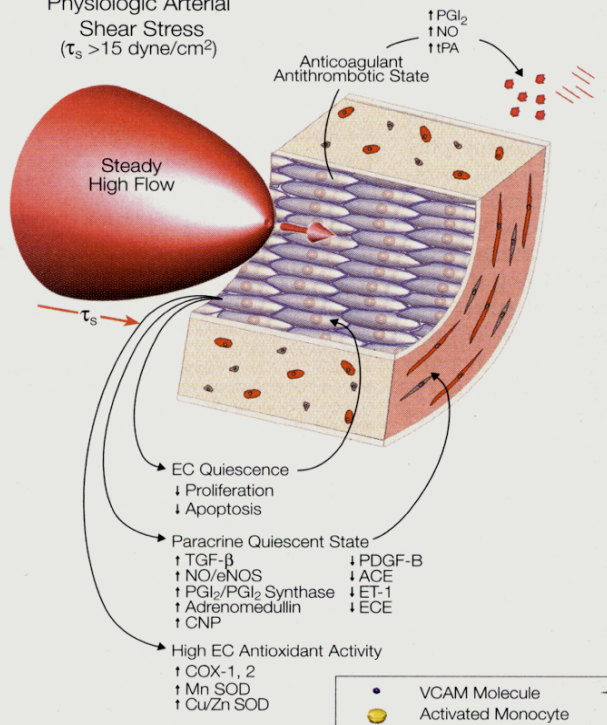
UNPREDICTABLE

Formation and evolution of plaques

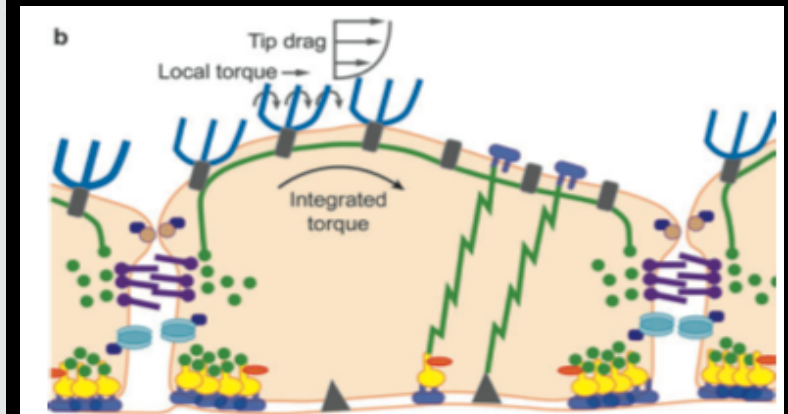
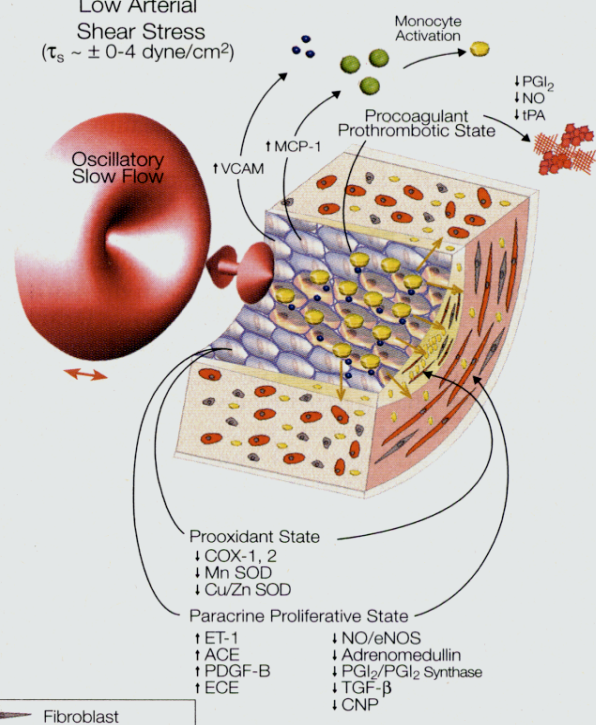


ESS = Endothelial Shear Stress, **ACCESSIBLE ONLY BY SIMULATION**

Physiologic Arterial
Shear Stress
($\tau_s > 15$ dyne/cm²)



Low Arterial
Shear Stress
($\tau_s \sim \pm 0-4$ dyne/cm²)



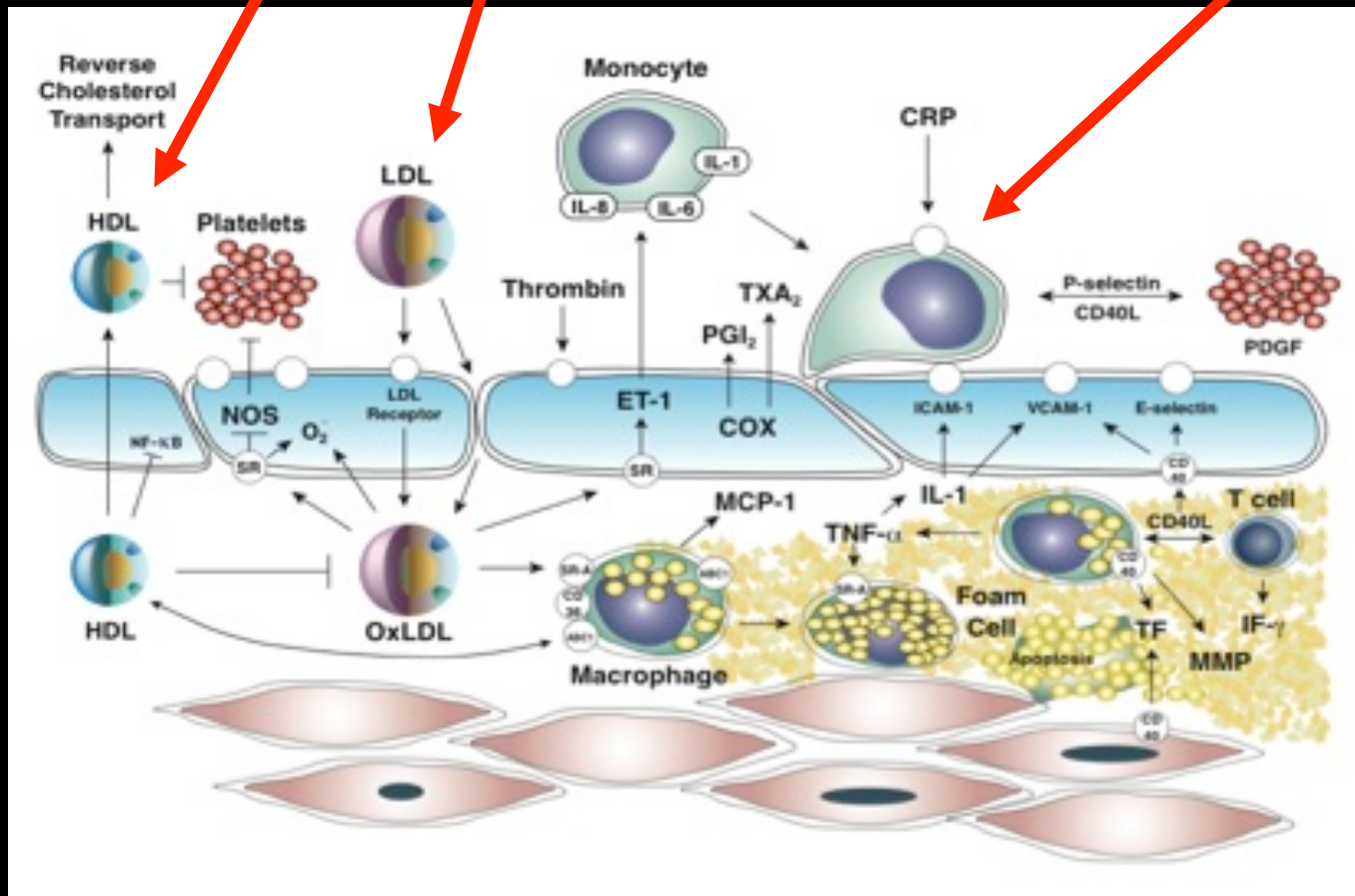
Vasculoprotective

Vascular adhesion of
lipoproteins & inflammatory cells

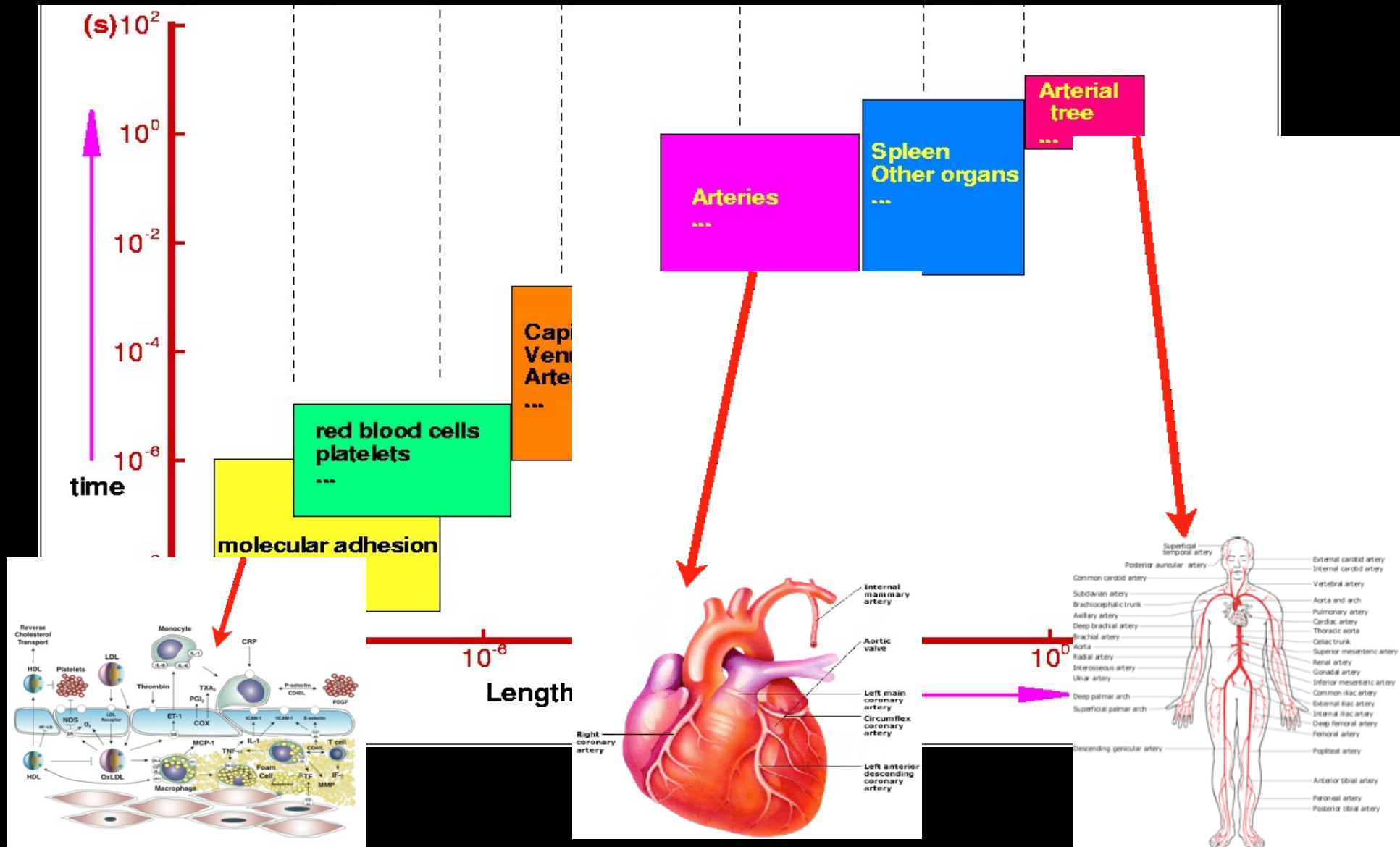
Inflammatory response & Feedback

Cholesterol (HDL, LDL)

White blood cells

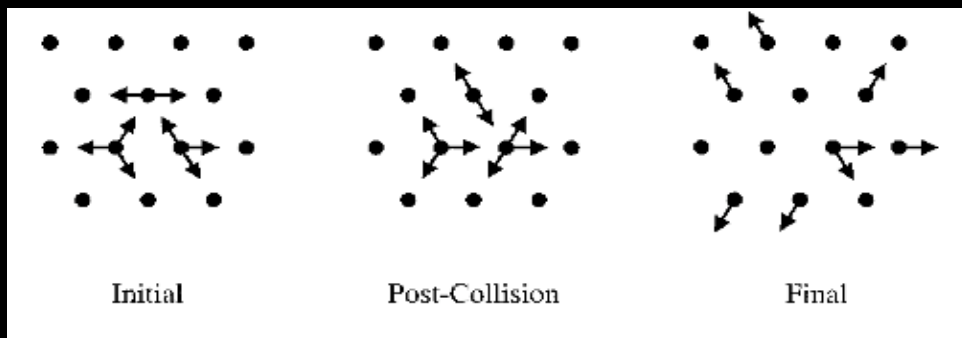


Challenge: Multi-scale hemodynamics



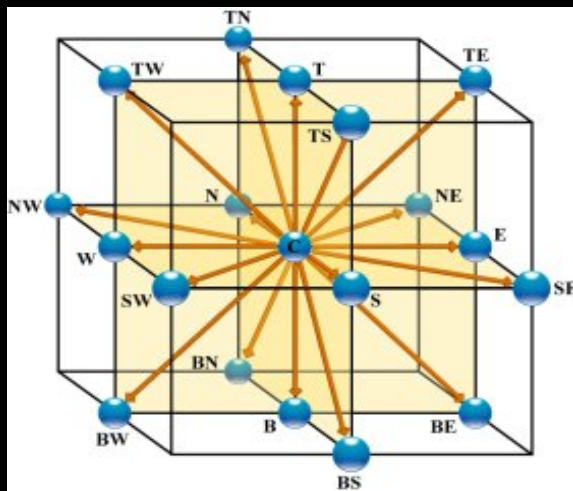
Fluid dynamics by cellular automata : Lattice Boltzmann Equation (LBE)

$$f_i(\vec{x} + \vec{c}_i \Delta t, t + \Delta t) = f_i(\vec{x}, t) - \omega \Delta t (f_i - f_i^{eq})(\vec{x}, t)$$



$$f_i^{eq} \propto \rho w_i \left[1 + \frac{\vec{c}_i \cdot \vec{u}}{c^2} + \frac{(\vec{c}_i \cdot \vec{u})^2 - c^2 u^2}{2c^4} \right]$$

Bhatnagar-Gross-Krook algorithm



Reproduces the physics
of fluid dynamics
(Navier-Stokes equation)

Fluid properties :

Fluid density

$$\rho(\vec{x}, t) = \sum_i f_i(\vec{x}, t)$$

Momentum (flow)

$$\rho(\vec{x}, t) \vec{u}(\vec{x}, t) = \sum_i f_i(\vec{x}, t) \vec{c}_i$$

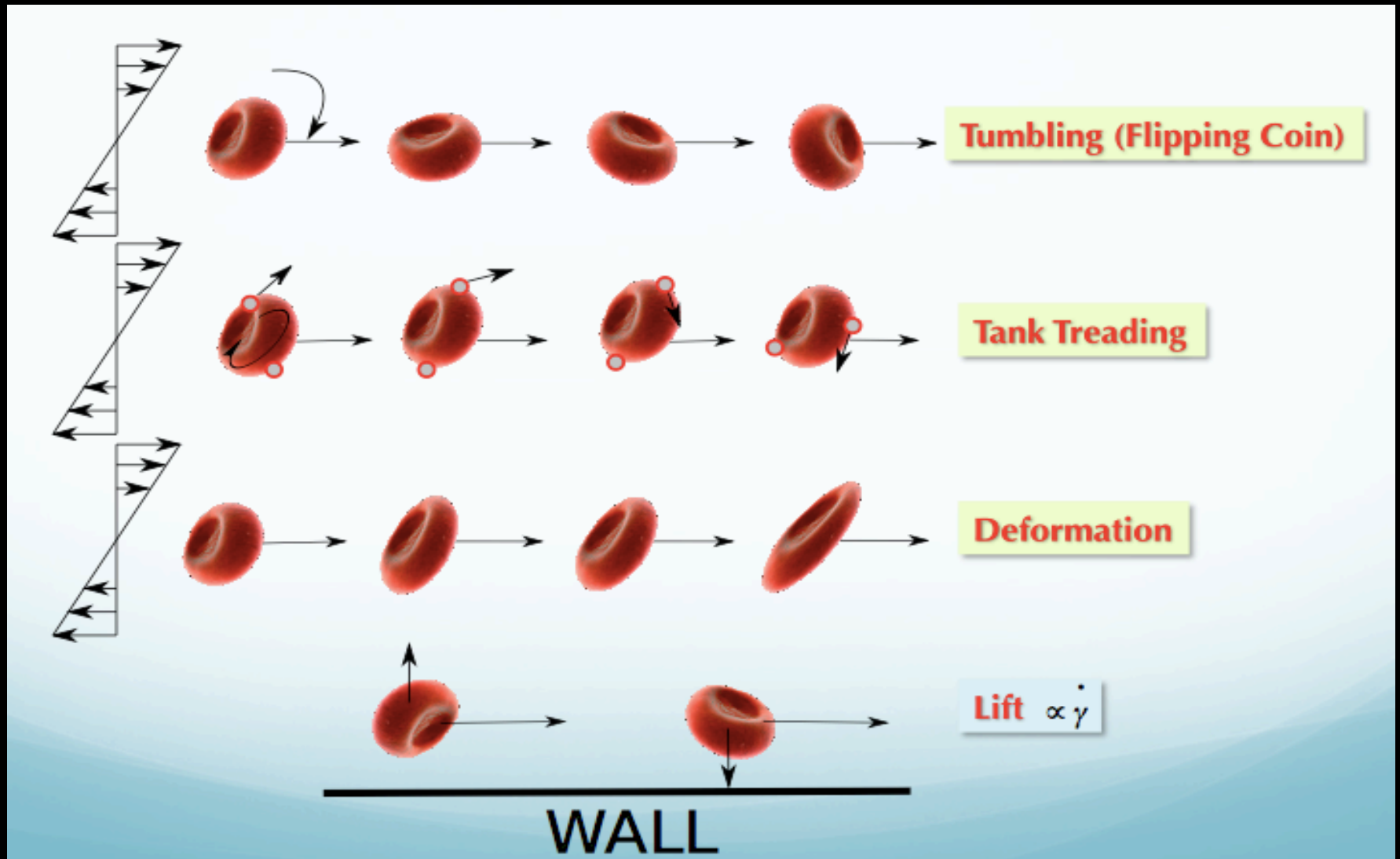
Stress Tensor

$$\vec{\sigma}(\vec{x}, t) = \frac{\nu \omega}{c_s^2} \sum_i \vec{c}_i \vec{c}_i [f_i - f_i^{eq}](\vec{x}, t)$$

Wall Stress

$$S(\vec{x}_w, t) = \sqrt{(\vec{\sigma} : \vec{\sigma})(\vec{x}_w, t)}$$

Red Blood Cell in Motion

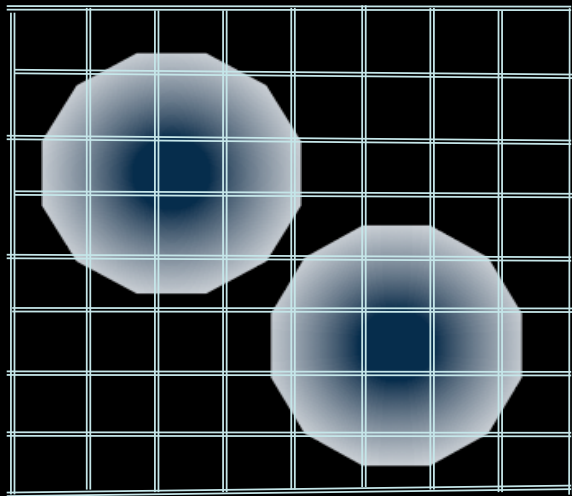


Definition of “particles” (cells, proteins, ...)

$$\tilde{\delta}_{\xi}(x - R) = \prod_{\alpha=x,y,z} \tilde{\delta}_{\xi}(x_{\alpha} - R_{\alpha})$$

$$\sum_x \tilde{\delta}_{\xi}(x - R) = 1$$

$$\tilde{\delta}_{\xi}(a) = \begin{cases} \frac{1}{2\xi} \left(1 + \cos\left(\frac{\pi|a|}{\xi}\right) \right) & 0 \leq |a| \leq \xi \\ 0 & \xi \leq |a| \end{cases}$$



$$\varphi(x, R) = -\gamma(V - u(x)) \tilde{\delta}_{\xi}(x - R)$$

$$F^H = \sum_x \varphi = -\gamma(V - \tilde{u})$$

$$\tilde{u} = u * \tilde{\delta}_{\xi}$$

$$\Delta f_p = -\frac{w_p}{c^2} c_p \cdot \sum_R \varphi$$

Equations of motion:

$$\Xi \frac{d\Psi}{dt} \equiv \begin{pmatrix} M \frac{dV}{dt} \\ I \frac{d\Omega}{dt} \end{pmatrix} = \begin{pmatrix} F + F^H \\ T + T^H \end{pmatrix} \equiv \Phi + \Phi^H$$

$$\Phi_{6 \times 1}^H = \Gamma_{6 \times 6} \Psi_{6 \times 1}^* + \Delta_{6 \times 3 \times 3} : E_{3 \times 3}$$

$$\Psi^* \equiv \begin{pmatrix} V - u \\ \Omega - \omega \end{pmatrix}$$

Brenner *et al.* (1972) Brady & Bossis (1989)

Γ Grand Resistance matrix

Δ Shear Resistance matrix

E Strain tensor

u Fluid velocity @center

$\omega = \frac{1}{2} \partial \times u$ Fluid vorticity @center

Γ and Δ depend on the whole configuration

Pair-wise superposition

$O(N^3)$ complexity!

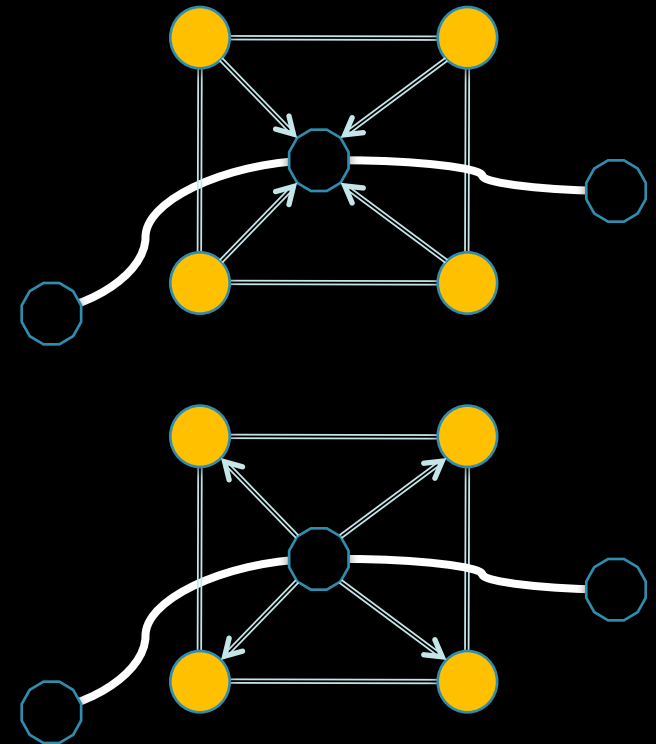
Fluid-particle coupling:

$$(\partial_t + v \cdot \partial_x) f = -\omega(f - f^{eq}) - \frac{1}{M} \sum_R F^H \cdot \partial_v f$$

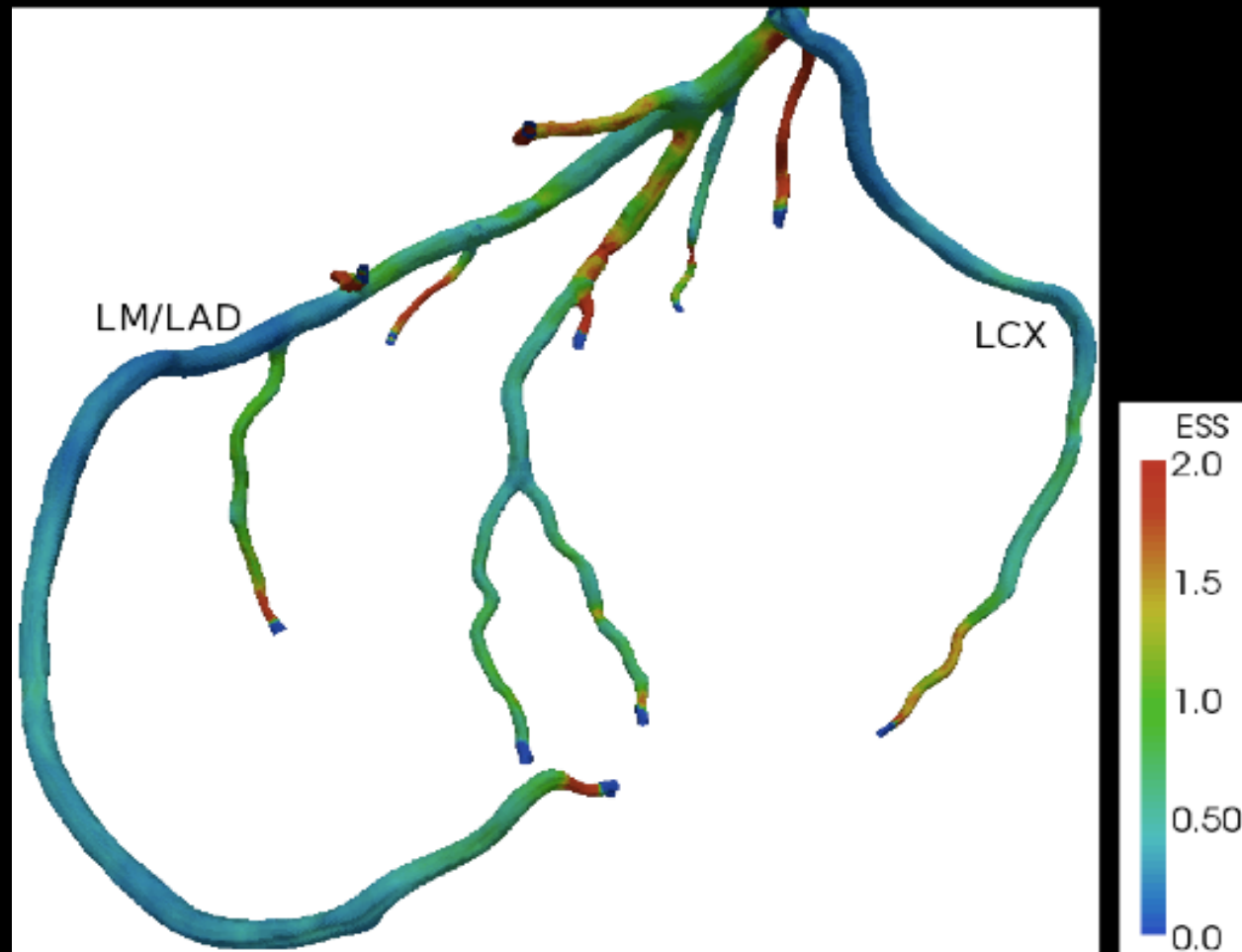
$$\frac{d}{dt} V = \frac{1}{M} (F + F^H)$$

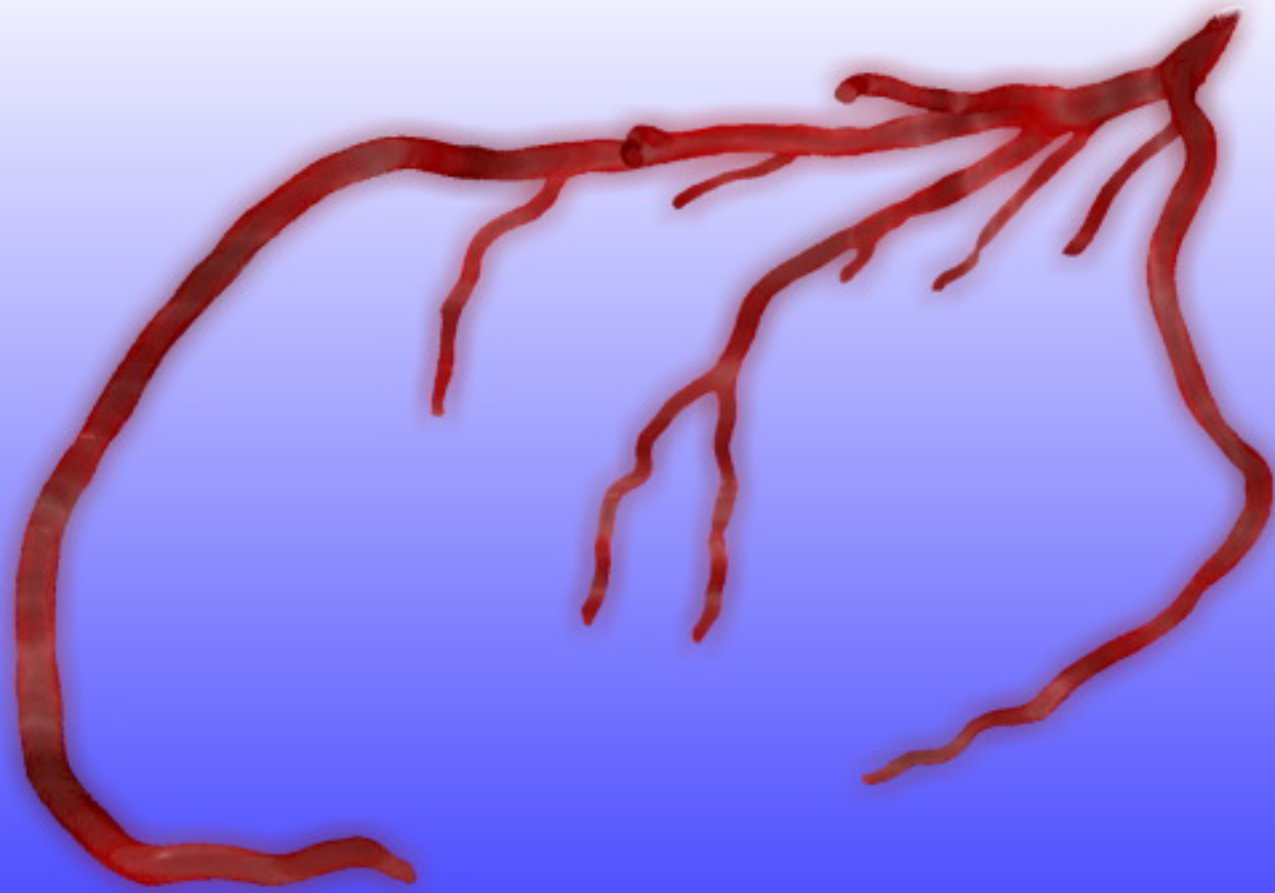
$$F^H = -\gamma [V - u(x, \{R, V\})] \delta(x - R)$$

Momentum exchange
(Newton's 3rd law)



ESS Calculation in patient-specific arterial tree

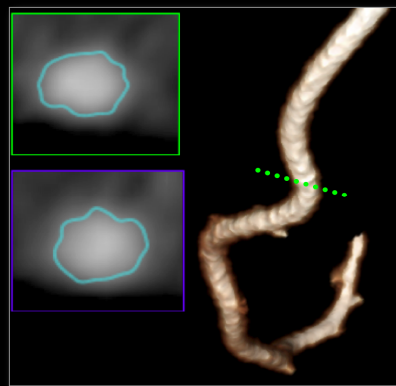




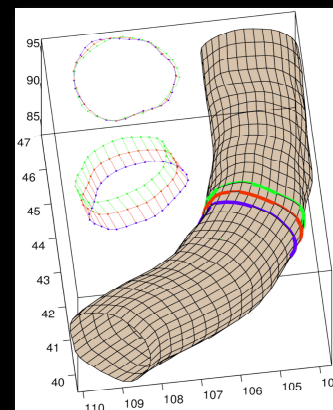
Full arterial tree (10^9 grid points) with RBC's (10^8 cells)



Patient Data

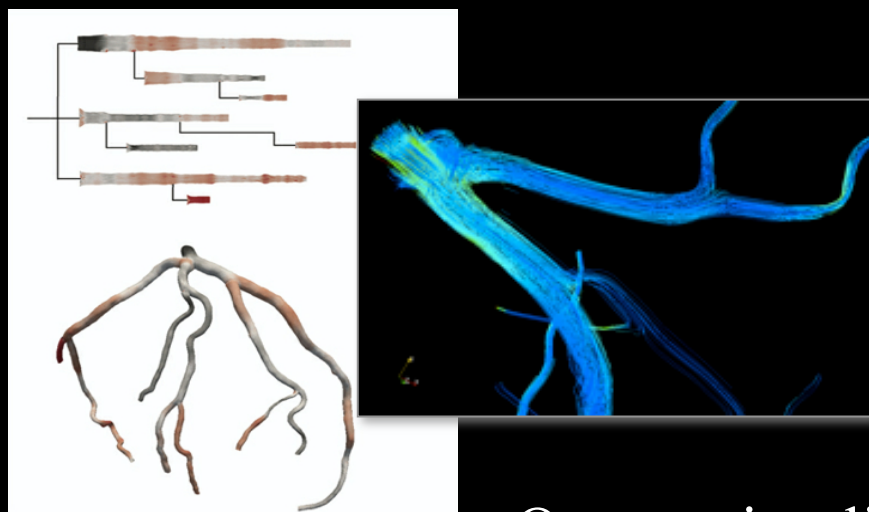


Data Segmentation



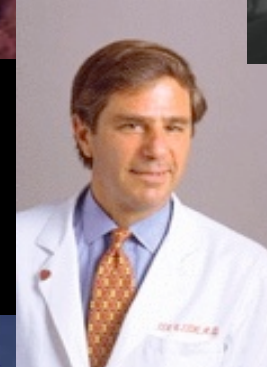
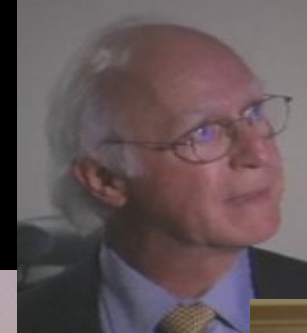
Data Preparation

Parallel Code: MUPHY &
HARVEY



Output visualization

Multiscale Hemodynamics Team



Massimo Bernaschi - Michelle Borkin - Mauro Bisson - Ahmet Coskun - Charles Feldman - Bill Gropp - Jeff Hammond - Joseph Insley - Vivek Kale - Efthimios Kaxiras - Jonas Latt - Simone Melchionna - Dimitris Mitsouras - Amanda Peters Randles- Hanspeter Pfister - Frank Rybicki - Joy Sircar - Michael Steigner - Peter Stone - Sauro Succi - Frederick Welt

Computational Science: Education

Course Information

Physical Sciences 12b: Electromagnetism and Statistical Physics
from an Analytic, Numerical and Experimental Perspective

Harvard College/GSAS: 82209

Fall 2013–2014

Efthimios Kaxiras

Location: Science Center B

Meeting Time: Tu., Th., 11:30–1

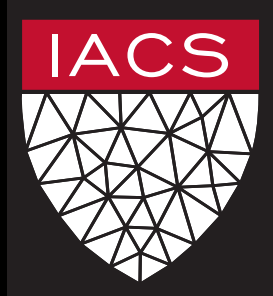
Exam Group: 13,14

This is the second term of a two-semester introductory sequence that uses a combination of analytic and numerical methods to understand physical systems, to analyze experimental data, and to compare data to models. Topics include electrostatics and magnetostatics, electromagnetic fields, optics [all topics illustrated with applications to current technological and societal challenges], and an introduction to the physics of many-body systems and their aggregate properties such as entropy, temperature and pressure. The course is aimed at second year students who have an interest in pursuing a concentration in the sciences and/or engineering. The course structure includes lecture, discussion and laboratory components.

Note: May not be taken for credit by students who have passed Physics 15b or Physics 15c. This course, when taken for a letter grade, meets the General Education requirement for Science of the Physical Universe or the Core area requirement for Science A.

Prerequisite: Physical Sciences 12a

The SEAS graduate program in Computational Science and Engineering (2013-14 inaugural Academic Year)



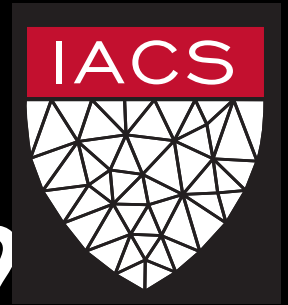
Institute for
Applied
Computational
Science

Advisory Board: experts from Industry and National Labs
(IBM, Nvidia, Intel, Microsoft, GoldmanSachs, ...
Lawrence Livermore, Los Alamos, ...)

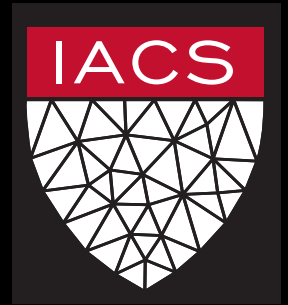
Master's programs built around **set of learning outcomes**

Core and Elective courses

what is a Master's degree in CSE?



- Master of Science (S.M.): total of 8 courses including CSE core courses
- Master of Engineering: total of 16 courses including two semesters of research (Thesis)
- Secondary Field and S.M. are appropriate for Ph.D. students wanting to apply computational methods to a problem in a domain of science, engineering or social science

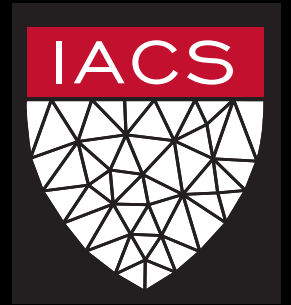


core courses

AM205 **Advanced Scientific Computing: Numerical
Methods**

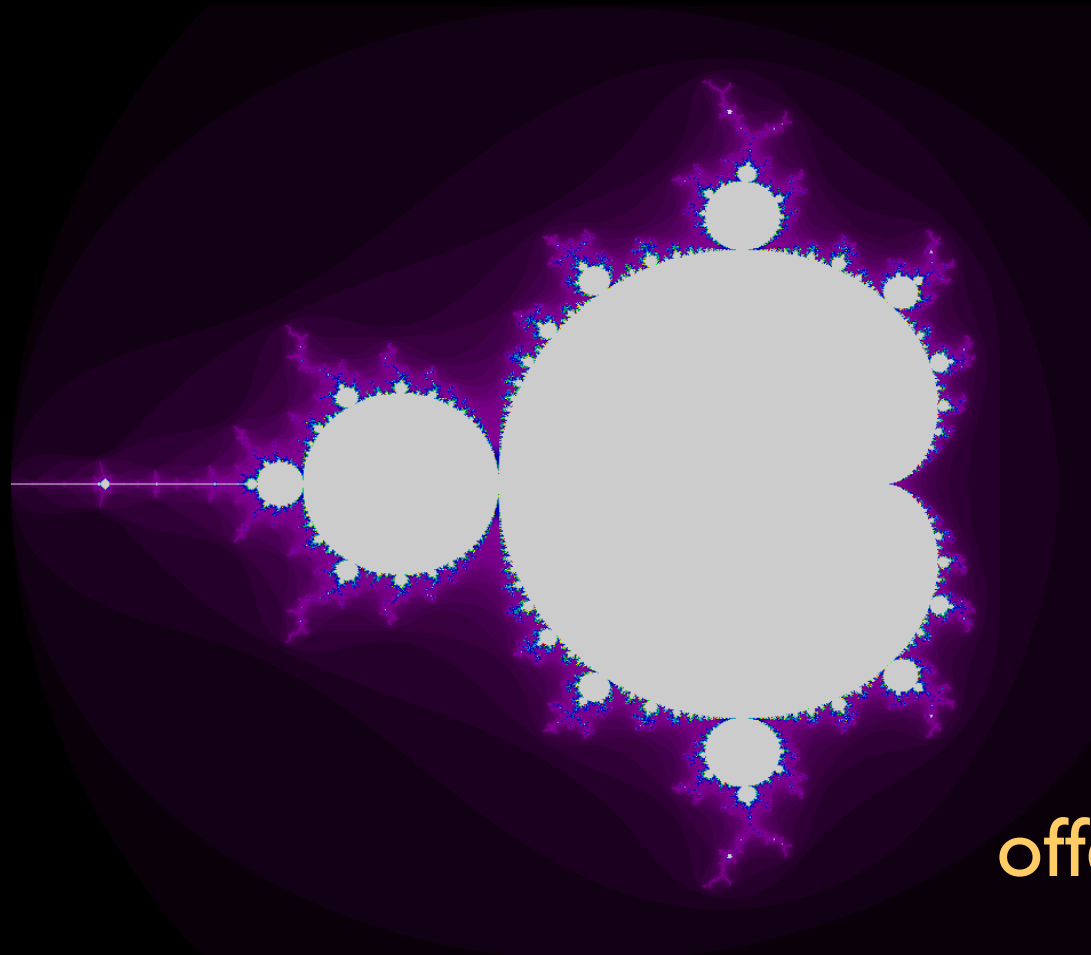


offered in fall

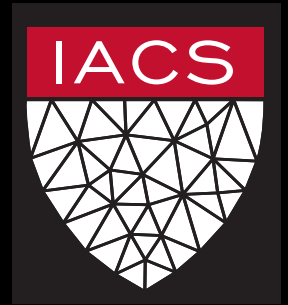


core courses

CS205 Computing Foundations for Computational
Science

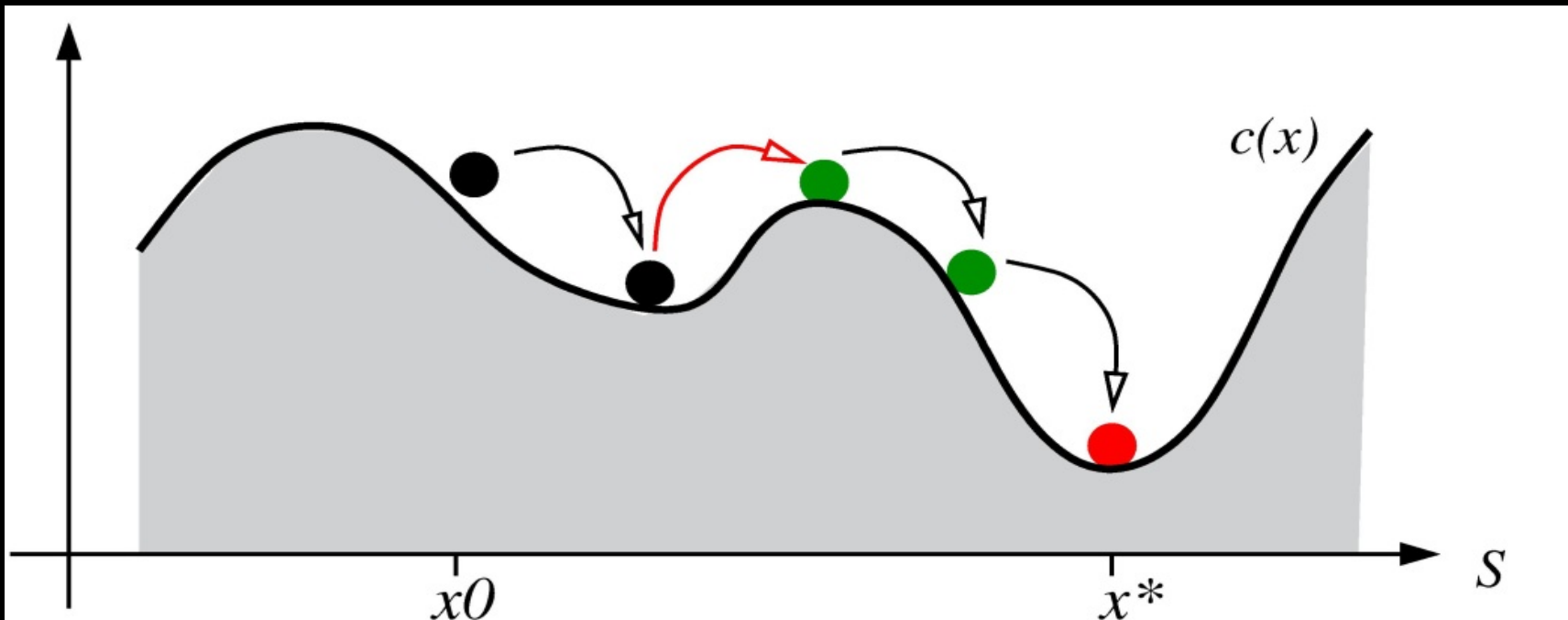


offered in fall

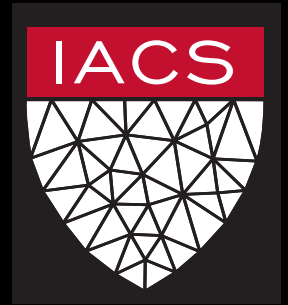


core courses

AM207 Advanced Scientific Computing:
Stochastic Optimization Methods

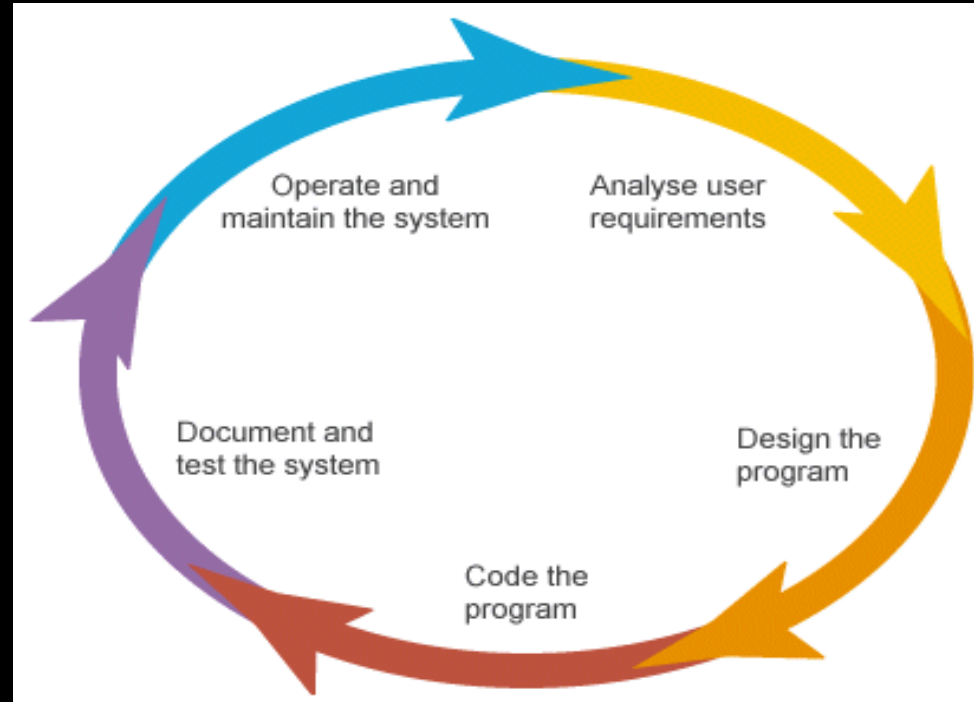


offered in spring

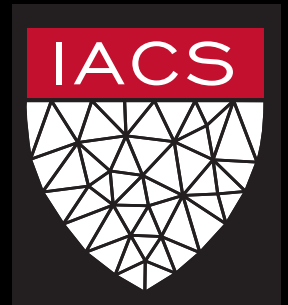


core courses

CS207 Systems Design for Computational Science

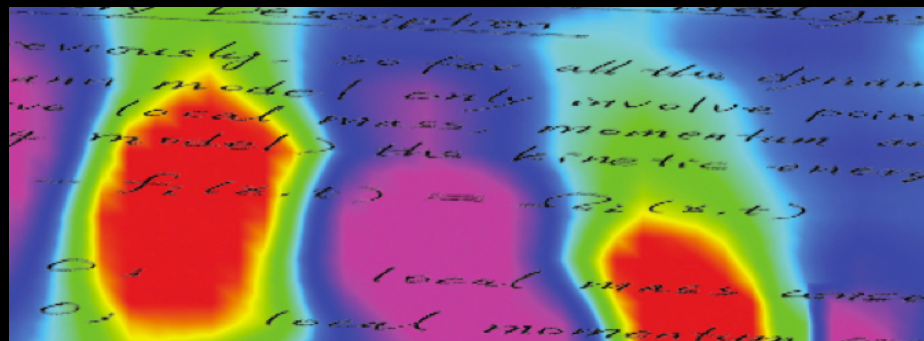


offered in spring

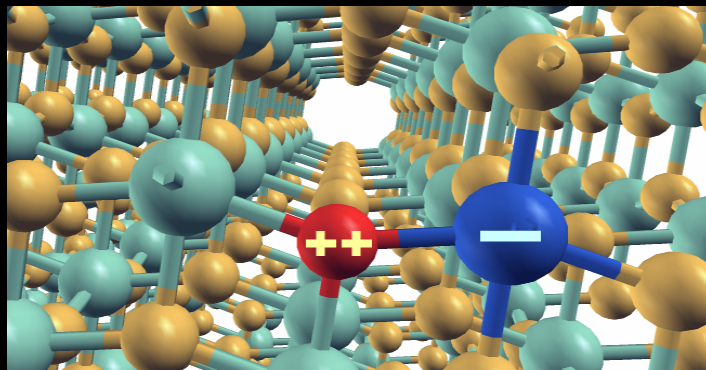


electives

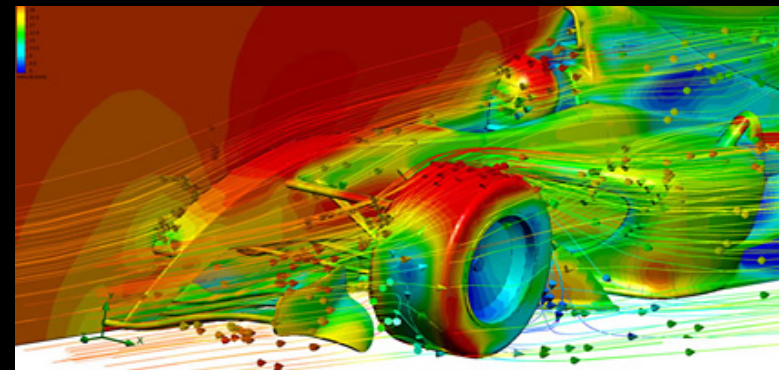
AM272r Kinetic Methods for Fluid:
Theory and Applications

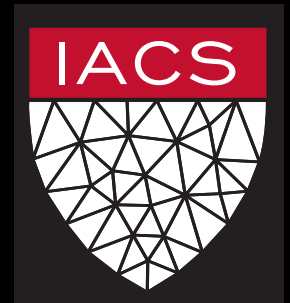


AM274 Computational
Design of Materials



AM275 Computational Fluid
Dynamics





Learning outcomes

1. state-of-the-art modeling and simulation approaches
2. techniques for evaluating and comparing multiple computational approaches
3. skills in collaboration, code implementation and development of robust, reliable software
4. new methods for modeling big data and complex systems
5. how to take advantage of parallel and distributed computing
6. advanced data analysis and visualization methods
7. parallel programming and “parallel thinking”

Congratulations David!
Warm welcome to PICS!
Best wishes for success and growth
(we're counting on it)!